



# Georgia Standards of Excellence Curriculum Frameworks

## Mathematics

GSE Second Grade

Unit 4: Applying Base Ten Understanding



Richard Woods, Georgia's School Superintendent  
"Educating Georgia's Future"

**Unit 4: Applying Base Ten Understanding**

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**IF YOU HAVE NOT READ THE SECOND GRADE CURRICULUM OVERVIEW IN ITS ENTIRETY PRIOR TO USE OF THIS UNIT, PLEASE STOP AND CLICK HERE:**

<https://www.georgiastandards.org/Georgia-Standards/Frameworks/2nd-Math-Grade-Level-Overview.pdf>

Return to the use of this unit once you've completed reading the Curriculum Overview. Thank you!

## **OVERVIEW**

In this unit students will:

- continue to develop their understanding of and facility with addition and subtraction
- add up to 4 two-digit numbers.
- use a variety of models (base ten blocks- ones, tens, and hundreds only; diagrams; number lines; place value strategies; etc.) to add and subtract within one thousand.
- become fluent with mentally adding or subtracting 10 or 100 to a given three-digit number.
- demonstrate fluency with addition and subtraction.
- understand the relationship between addition and subtraction (inverse operations).
- represent three digit numbers with a variety of different models (base ten blocks- ones, tens, and hundreds only; diagrams; number lines; place value strategies; etc.).
- recognize and use place value to manipulate numbers.
- continue to develop their understanding of, and facility with, money.
- count with pennies, nickels, dimes, and dollar bills.

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- represent a money amount with words or digits and symbols (either cent or dollar signs).
- represent and interpret data in picture and bar graphs.
- use information from a bar graph to solve addition and subtraction equations.

At the beginning of Unit 4, it is recommended that students practice counting money collections, telling time, estimation, review geometric shapes studied in first grade, patterning, etc. daily. This could take place during Math Maintenance time in order to be prepared for future tasks. For additional information on unpacking standards and math maintenance, please see your Grade Level Overview.

Children in second grade are usually familiar with numbers to one hundred and can count and write them with a degree of accuracy. They are beginning to understand the place value system. An important item to facilitate this understanding is the relationship between the numbers and groups of hundreds, tens and ones (for example, the number 142 means one group of one hundred, four groups of ten and two ones). However, students need to understand that place value is not simply how many ones, tens and hundreds there are in a given number. Literally speaking, place value refers to the notion that where a digit is placed in a given number will determine the number's value. As students understand the significance of the positions of digits in numbers, they can explain the meaning of each digit and its assigned value in each place.

Having a thorough understanding of place value in this manner provides a foundation for operations with numbers. Also, when students know the same number can be represented by different equivalent groupings, they become more flexible with their use of numbers in operations (for example, fifty-three can be represented by five tens and three ones; four tens and thirteen ones; three tens and twenty-three ones; etc.). Taking numbers apart (decomposing) and recombining (composing) them in different ways is a significant skill for computation. Important tools used to develop and extend place value understandings include base ten blocks, tens frames, and 99s charts.

Students need to build on their flexible strategies for adding within 20 in Grade 1 to fluently add and subtract within 100, add up to four two-digit numbers, and find sums and differences less than or equal to 1000 using numbers 0 to 1000.

A large portion of the second grade standards emphasizes the importance of students developing a solid understanding of the relationship between addition and subtraction. An example of this is when a child uses an addition strategy (counting on) to solve a subtraction problem. For example, how far is it from 16 to 75? You could add 4 to 16 to make 20, and then add 50 to get to 70, and finally 5 more to make the total of 75. The total added to 16 to make 75 is 59 ( $4 + 50 + 5 = 59$ ). This process of adding on from 16 to get to 75 helps students focus on the distance between the two amounts. Using a linear model of an “open number line” (meaning a line that does not have designated numbers already on it) can help students act out the scenario described above. They can begin at 16, make a jump of 4 to land on 20; make a jump of 50 to land on 70; then a jump of 5 to finally arrive at 75! Totaling up the “jumps” produces the answer of 59. Using this model also helps students develop an understanding and recognize that ***subtraction can also be thought of as a comparison*** and not just as taking away, separating, or “subtracting” something.

## **NUMBER TALKS**

Between 5 and 15 minutes each day should be dedicated to “*Number Talks*” in order to build students’ mental math capabilities and reasoning skills. Sherry Parrish’s book *Number Talks* provides examples of K-5 number talks. The following video clip from Math Solutions is an excellent example of a number talk in action. <https://www.teachingchannel.org/video/number-talk-math-lesson-2nd-grade>

During the Number Talk, the teacher is not the definitive authority. The teacher is the facilitator and is listening for and building on the students’ natural mathematical thinking. The teacher writes a problem horizontally on the board in whole group or a small setting. The students mentally solve the problem and share with the whole group how they derived the answer. They must justify and defend their reasoning. The teacher simply records the students’ thinking and poses extended questions to draw out deeper understanding for all.

The effectiveness of Numbers Talks depends on the routines and environment that is established by the teacher. Students must be given time to think quietly without pressure from their peers. To develop this, the teacher should establish a signal, other than a raised hand, of some sort to identify that one has a strategy to share. One way to do this is to place a finger on their chest indicating that they have one strategy to share. If they have two strategies to share, they place out two fingers on their chest and so on.

Number Talk problem possible student responses:

	<b>Possible Strategy #1</b>	<b>Possible Strategy #2</b>
$29 + 8$	29 can become 30 and take 1 from 8 reducing it to 7.	9 and 8 becomes 17 17 plus 20
$54 + 86$	$50 + 80 + 10 =$	Add 6 to 54 to get 60. Then $60 + 80 = 140$

Number talks often have a focus strategy such as “making tens” or “compensation.” Providing students with a string of related problems, allows students to apply a strategy from a previous problem to subsequent problems. Some units lend themselves well to certain Number Talk topics. For example, the place value unit may coordinate well with the Number Talk strategy of “making ten.”

## **STANDARDS FOR MATHEMATICAL PRACTICE**

This section provides examples of learning experiences for this unit that support the development of the proficiencies described in the Standards for Mathematical Practice. The statements provided offer a few examples of connections between the Standards for Mathematical Practice and the Content Standards of this unit. The list is not exhaustive and will hopefully prompt further reflection and discussion.

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<b>1. Make sense of problems and persevere in solving them.</b>
<b>2. Reason abstractly and quantitatively.</b>
<b>3. Construct viable arguments and critique the reasoning of others.</b>
<b>4. Model with mathematics.</b>
<b>5. Use appropriate tools strategically.</b>
<b>6. Attend to precision.</b>
<b>7. Look for and make use of structure.</b>
<b>8. Look for and express regularity in repeated reasoning.</b>

**\*\*\*Mathematical Practices 1 and 6 should be evident in EVERY lesson.\*\*\***

## **STANDARDS FOR MATHEMATICAL CONTENT**

### **Use place value understanding and properties of operations to add and subtract**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

### **Work with time and money**

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. Example: If you have 2 dimes and 3 pennies, how many cents do you have?

### **Represent and interpret data**

**MGSE2.MD.10** Draw a picture graph and a bar graph (with single-unit scale) to represent a data set with up to four categories. Solve simple put-together, take-apart, and compare problems<sup>1</sup> using information presented in a bar graph.

## **BIG IDEAS**

By the conclusion of this unit, students should be able to demonstrate the following competencies:

- Know how to add up to 4 two-digit numbers
- Be able to use a variety of models (base ten blocks- ones, tens, and hundreds only; diagrams; number lines; place value strategies; etc.) to add and subtract within one thousand
- Mentally add or subtract 10 or 100 to a given three-digit number
- Understand the relationship between addition and subtraction (inverse operations)
- Represent three-digit numbers with a variety of different models (base ten blocks- ones, tens, and hundreds only; diagrams; number lines; place value strategies; etc.)
- Recognize and use place value to manipulate numbers
- We can verify the results of our computation by using the inverse operation.
- Estimation helps us see whether or not our answers are reasonable.

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- A numeral’s meaning and value is based upon where digits are placed to write the numeral.
- Adding or subtracting ten from a given number changes the digit in the tens place of a given number but not the digit in the ones place of a given number. It also changes the value of the given number by either increasing or decreasing it in increments of ten.
- Adding or subtracting 100 from a given number changes the digit in the hundreds place of that given number but not the digits in the tens and ones places of that given number. It also changes the value of the given number by either increasing or decreasing it in increments of 100.
- Addition means the joining of two or more sets that may or may not be the same size. There are several types of addition problems, see the chart below.
- Subtraction has more than one meaning. It not only means the typical “take away” operation, but also can denote finding the distance between two amounts, i.e. comparison. Different subtraction situations are described in the chart below.
- Numbers may be represented in a variety of ways such as base ten blocks, diagrams, number lines, and expanded form.
- Place value can help to determine which numbers are larger or smaller than other numbers.
- Counting dollars is just like counting by ones and tens in our place value system.
- Counting coins can be connected to how we count by ones, fives, and tens.
- Count with pennies, nickels, dimes, and dollar bills
- Represent a money amount with words or digits and symbols (either cent or dollar signs)
- Interpret data in picture and bar graphs
- Use information from a bar graph to solve addition and subtraction questions and equations

**ESSENTIAL QUESTIONS**

- How can I keep track of an amount?
- How can I learn to quickly calculate sums in my head?
- How can I use a number line to add or subtract?
- How can I use a number line to figure out 10 more or less than a number?
- How can I use data to help me understand the answers to the questions posed?
- How can place value help us locate a number on the number line?
- How can we select among the most useful mental math strategies for the task we are trying to solve?
- How do we know if we have enough money to buy something?
- How does mental math help us calculate more quickly and develop an internal sense of numbers?
- If we have two or more numbers, how do we know which is greater?
- In what type of situations do we add? In what type of situations do we subtract?
- In what type of situations do we subtract?
- What are the different ways we can represent an amount of money?
- What are the different ways we can show or make (represent) a number?

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- What estimation and mental math strategies can I use to help me solve real world problems?
- What happens to the value of a number when we add 10 to it or subtract 10 from it? What digits change? What digits stay the same? Why?
- What happens to the value of a number when we add or subtract 100 from it? What digits change, what digits stay the same? Why?
- What is an effective way to estimate numbers?
- What is mental math?
- What is the difference between place and value?
- What mental math strategies can we use?
- What strategies are helpful when estimating sums in the hundreds?
- What strategies will help me add multiple numbers quickly and accurately?
- What strategies will help me add numbers quickly and accurately?
- What type of graph should I use to display data?
- Why do I need to ask questions and collect data?
- Why is it important to be able to count amounts of money?
- Why should we understand place value?

### **CONCEPTS AND SKILLS TO MAINTAIN**

**Fluency:** Procedural fluency is defined as skill in carrying out procedures flexibly, accurately, efficiently, and appropriately. Fluent problem solving does not necessarily mean solving problems within a certain time limit, though there are reasonable limits on how long computation should take. Fluency is based on a deep understanding of quantity and number.

**Deep Understanding:** Teachers teach more than simply “how to get the answer” and instead support students’ ability to access concepts from a number of perspectives. Therefore, students are able to see math as more than a set of mnemonics or discrete procedures. Students demonstrate deep conceptual understanding of foundational mathematics concepts by applying them to new situations, as well as writing and speaking about their understanding.

**Memorization:** The rapid recall of arithmetic facts or mathematical procedures. Memorization is often confused with fluency and automaticity. Fluency implies a much richer kind of mathematical knowledge and experience.

**Number Sense:** Students consider the context of a problem, look at the numbers in a problem, and make a decision about which strategy would be most efficient in each particular problem. Number sense is not a deep understanding of a single strategy, but rather the ability to think flexibly between varieties of strategies in context.

**Fluent students:**

- Flexibly use a combination of deep understanding, number sense, and memorization.
- Are fluent in the necessary baseline functions in mathematics so that they are able to spend their thinking and processing time unpacking problems and making meaning from them.
- Are able to articulate their reasoning.

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- Find solutions through a number of different paths.

For more about fluency, see:

<http://www.youcubed.org/wp-content/uploads/2015/03/FluencyWithoutFear-2015.pdf> and  
<https://bhi61nm2cr3mkdgl1dtaov18-wpengine.netdna-ssl.com/wp-content/uploads/nctm-timed-tests.pdf>

**Skills from Grade 1:**

It is expected that students will have prior knowledge/experience related to the concepts and skills identified below. It may be necessary to pre-assess in order to determine if time needs to be spent on conceptual activities that help students develop a deeper understanding of these ideas.

- Developing understanding of addition, subtraction, and strategies for addition and subtraction within 20;
- Developing understanding of whole number relationships and place value, including grouping in tens and ones;

**Second Grade Year Long Concepts:**

- Organizing and graphing data as stated in MGSE.MD.10 should be regularly incorporated in activities throughout the year. Students should be able to draw a picture graph and a bar graph to represent a data set with up to four categories as well as solve simple put-together, take-apart, and compare problems using information presented in a bar graph.
- Routine topics such as counting, time, money, positional words, patterns, and tallying should be addressed on an ongoing basis throughout instructional time.
- Students will be asked to use estimation and benchmark numbers throughout the year in a variety of mathematical situations.

**STRATEGIES FOR TEACHING AND LEARNING**

(Information adapted from North Carolina DPI Instructional Support Tools)

For additional information on the Arc of a Lesson and how to set up an environment to support mathematical thinking see the Grade Level Overview.

In general:

- Students should be actively engaged by providing them with multiple opportunities to develop their own understanding, and encouraged to share their thinking on a regular basis.
- Mathematics should be represented in as many ways as possible by using graphs, tables, pictures, symbols, and words. The tasks that address the MGSE for data in 2<sup>nd</sup> grade are embedded within each of the 2<sup>nd</sup> grade units.
- Appropriate manipulatives and technology should be used to enhance student learning.
- Students should be given opportunities to revise their work based on teacher feedback, peer feedback, and metacognition which includes self-assessment and reflection.
- Math journals are an excellent way for students to show what they are learning about a concept. These could be spiral bound notebooks that students draw or write in to describe the day's math lesson. Second graders love to go back and look at things they have done in

the past, so journals could also serve as a tool for a nine-week review, parent conferencing, as well as a tool for assessment.

**Specific to the Georgia Standards of Excellence Standards:**

**Use place value understanding and properties of operations to add and subtract**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**Instructional Strategies**

Provide many activities that will help students develop a strong understanding of number relationships, addition and subtraction, so they can develop, share and use efficient strategies for mental computation. An efficient strategy is one that can be done mentally and quickly. Students gain computational fluency, using efficient and accurate methods for computing, as they come to understand the role and meaning of arithmetic operations in number systems. Efficient mental processes become automatic with use.

Students need to build on their flexible strategies for adding within 100 in Grade 1, to fluently add and subtract within 100, add up to four two-digit numbers, and find sums and differences less than or equal to 1000, using numbers 0 to 1000.

Initially, students apply base-ten concepts and use direct modeling with physical objects or drawings to find different ways to solve problems. They move to inventing strategies that do not involve physical materials or counting by ones to solve problems. Student-invented strategies likely will be based on place-value concepts, the commutative and associative properties, and the relationship between addition and subtraction. These strategies should be done mentally or with a written record for support.

It is vital that student-invented strategies be shared, explored, recorded, and tried by others. Recording the expressions and equations in the strategies horizontally, encourages students to think about the numbers and the quantities they represent instead of the digits. Not every student will invent strategies, but all students can and will try strategies they have seen that make sense to them. Different students will prefer different strategies.

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Students will decompose and compose tens and hundreds when they develop their own strategies for solving problems where regrouping is necessary. They might use the make-ten strategy ( $37 + 8 = 40 + 5 = 45$ , add 3 to 37 then 5) or ( $62 - 9 = 60 - 7 = 53$ , take off 2 to get 60, then 7 more) because no ones are exchanged for a ten or a ten for ones.

Have students analyze problems before they solve them. Present a variety of subtraction problems within 1000. Ask students to identify the problems requiring them to decompose the tens or hundreds to find a solution and explain their reasoning.

### **Work with time and money**

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

### **Instructional Strategies**

The topic of money begins at Grade 2 and builds on the work in other clusters in this and previous grades. Help students learn money concepts and solidify their understanding of other topics by providing activities where students make connections between them. For instance, link the value of a dollar bill as 100 cents to the concept of 100 and counting within 1000. Use play money - nickels, dimes, and dollar bills to skip count by 5s, 10s, and 100s. Reinforce place value concepts with the values of dollar bills, dimes, and pennies.

Students use the context of money to find sums and differences less than or equal to 100 using the numbers 0 to 100. They add and subtract to solve one- and two-step word problems involving money situations of adding to, taking from, putting together, taking apart, and comparing, with unknowns in all positions. Students use drawings and equations with a symbol for the unknown number to represent the problem. The dollar sign, \$, is used for labeling whole-dollar amounts without decimals, such as \$29.

Students need to learn the relationships between the values of a penny, nickel, dime, quarter and dollar bill.

### **Represent and interpret data**

**MGSE2.MD.10** Draw a **picture graph** and a **bar graph** (with single-unit scale) to represent a data set with up to four categories. Solve simple put-together, take-apart, and compare problems<sup>2</sup> using information presented in a bar graph.

### **Instructional Strategies**

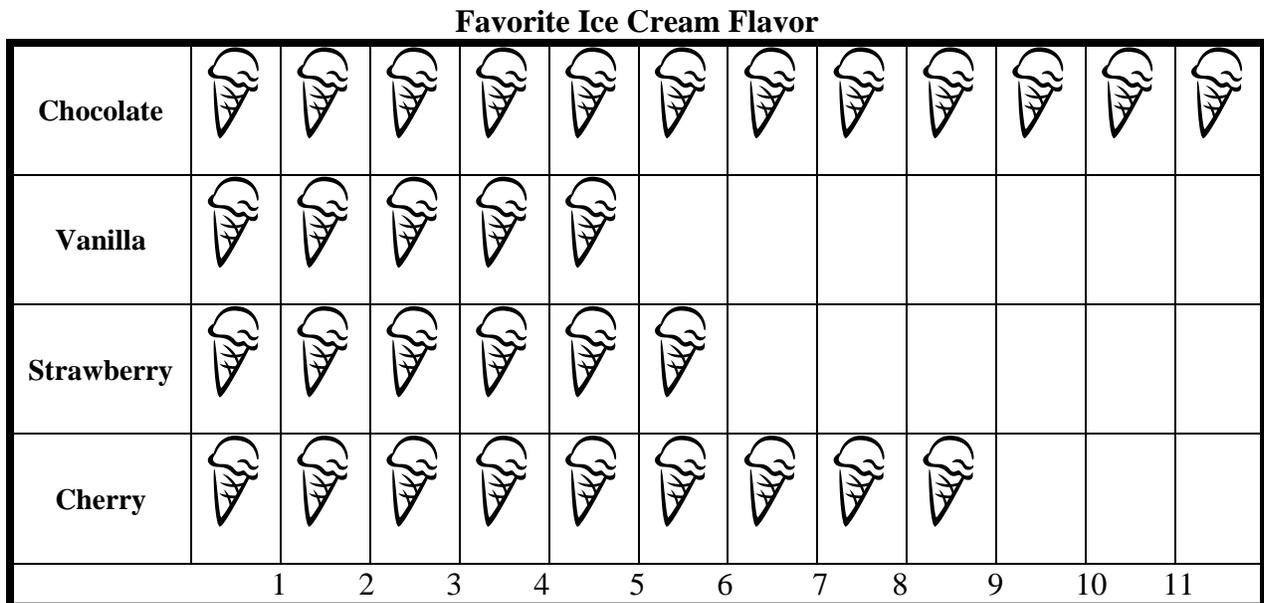
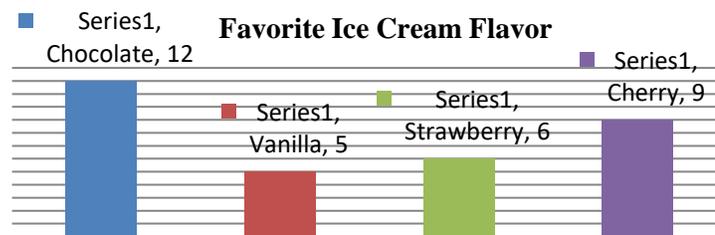
At first students should create real object and picture graphs so each row or bar consists of countable parts. These graphs show items in a category and do not have a numerical scale. For example, a real object graph could show the students' shoes (one shoe per student) lined end to end in horizontal or vertical rows by their color. Students would simply count to find how many

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shoes are in each row or bar. The graphs should be limited to 2 to 4 rows or bars. Students would then move to making horizontal or vertical bar graphs with two to four categories and a single-unit scale.

Flavor	Number of People
Chocolate	12
Vanilla	5
Strawberry	6
Cherry	9

Students display their data using a picture graph or bar graph using a single unit scale.



As students continue to develop their use of reading and interpreting data it is highly suggested to incorporate these standards into daily routines. It is not merely the making or filling out of the graph but the connections made from the data represented that builds and strengthens

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mathematical reasoning. For more information on daily routines please see the Grade Level Overview.

Students would then move to making horizontal or vertical bar graphs with two to four categories and a single-unit scale. Use the information in the graphs to pose and solve simple put together, take-apart, and compare problems illustrated in Table 1.

**Table 1: Common addition and subtraction situations**

	<b>Result Unknown</b>	<b>Change Unknown</b>	<b>Start Unknown</b>
<b>Add to</b>	Two bunnies sat on the grass. Three more bunnies hopped there. How many bunnies are on the grass now? $2 + 3 = ?$	Two bunnies were sitting on the grass. Some more bunnies hopped there. Then there were five bunnies. How many bunnies hopped over to the first two? $2 + ? = 5$	Some bunnies were sitting on the grass. Three more bunnies hopped there. Then there were five bunnies. How many bunnies were on the grass before? $? + 3 = 5$
<b>Take from</b>	Five apples were on the table. I ate two apples. How many apples are on the table now? $5 - 2 = ?$	Five apples were on the table. I ate some apples. Then there were three apples. How many apples did I eat? $5 - ? = 3$	Some apples were on the table. I ate two apples. Then there were three apples. How many apples were on the table before? $? - 2 = 3$

	<b>Total Unknown</b>	<b>Addend Unknown</b>	<b>Both Addends Unknown</b>
<b>Put Together</b>	Three red apples and two green apples are on the table. How many apples are on the table? $3 + 2 = ?$	Five apples are on the table. Three are red and the rest are green. How many apples are green? $3 + ? = 5, 5 - 3 = ?$	Grandma has five flowers. How many can she put in her red vase and how many in her blue vase? $5 = 0 + 5, 5 = 5 + 0$ $5 = 1 + 4, 5 = 4 + 1$ $5 = 2 + 3, 5 = 3 + 2$
<b>Take Apart</b>			

	<b>Difference Unknown</b>	<b>Bigger Unknown</b>	<b>Smaller Unknown</b>
<b>Compare</b>	(“How many more?” version): Lucy has two apples. Julie has five apples. How many more apples does Julie have than Lucy? (“How many fewer?” version): Lucy has two apples. Julie has five apples. How many fewer apples does Lucy have than Julie? $2 + ? = 5, 5 - 2 = ?$	(Version with “more”): Julie has three more apples than Lucy. Lucy has two apples. How many apples does Julie have? (Version with “fewer”): Lucy has 3 fewer apples than Julie. Lucy has two apples. How many apples does Julie have? $2 + 3 = ?, 3 + 2 = ?$	(Version with “more”): Julie has three more apples than Lucy. Julie has five apples. How many apples does Lucy have? (Version with “fewer”): Lucy has 3 fewer apples than Julie. Julie has five apples. How many apples does Lucy have? $5 - 3 = ? + 3 = 5$

Adapted from Box 2-4 of Mathematics Learning in Early Childhood, National Research Council (2009, pp. 32, 33).

**COMMON MISCONCEPTIONS:**

Students may think that the 4 in 46 represents 4, not 40. Students need many experiences representing two- and three-digit numbers with manipulatives that group (base ten blocks) and those that do NOT group, such as counters, etc.

When adding two-digit numbers, some students might start with the digits in the ones place and record the entire sum. Then they add the digits in the tens place and record this sum. Assess students’ understanding of *a ten* and provide more experiences modeling addition with grouped and pre-grouped base-ten materials as mentioned above. When subtracting two-digit numbers,

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students might start with the digits in the ones place and subtract the smaller digit from the greater digit. Then they move to the tens and the hundreds places and subtract the smaller digits from the greater digits. Assess students' understanding of *a ten* and provide more experiences modeling subtraction with grouped and pre-grouped base-ten materials.

Students might overgeneralize the value of coins when they count them. They might count them as individual objects. Also some students think that the value of a coin is directly related to its size, so the bigger the coin, the more it is worth. Place pictures of a nickel on the top of five-frames that are filled with pictures of pennies. In like manner, attach pictures of dimes and pennies to ten-frames and pictures of quarters to 5 x 5 grids filled with pennies. Have students use these materials to determine the value of a set of coins in cents.

Sometimes students will record twenty-nine dollars as 29\$. Remind them that the dollar sign goes in front. The cent sign goes after the number and there is no decimal point used with the cent sign.

The attributes for the same kind of object can vary. This will cause equal values in an object graph to appear unequal. For example, when making an object graph using shoes for boys and girls, five adjacent boy shoes would likely appear longer than five adjacent girl shoes. To standardize the objects, place the objects on the same-sized construction paper or sticky-note, then make the object graph.

### **SELECTED TERMS AND SYMBOLS**

The following terms and symbols are not an inclusive list and should not be taught in isolation. Instructors should pay particular attention to them and how their students are able to explain and apply them (**i.e. students should not be told to memorize these terms**).

Teachers should present these concepts to students with models and real life examples. Students should understand the concepts involved and be able to recognize and/or demonstrate them with words, models, pictures, or numbers.

For specific definitions, please reference the [Georgia Standards of Excellence Standards Glossary](#).

- addition
- associative property
- bar graph
- commutative property
- comparing
- compose
- concrete model counting strategy
- decompose
- difference
- dime

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- dollar bill
- estimate
- expanded form
- fluency
- hundreds
- identity property
- join
- line plot
- mental math
- model
- nickel
- ones
- penny
- picture graph
- place value
- properties of operations
- quantity
- quarter
- remove
- scale
- strategy
- subtraction
- tens

**TASK TYPES**

<b>Scaffolding Task</b>	Tasks that build up to the learning task.
<b>Constructing Task</b>	Constructing understanding through deep/rich contextualized problem-solving tasks.
<b>Practice Task</b>	Tasks that provide students opportunities to practice skills and concepts.
<b>Culminating Task</b>	Designed to require students to use several concepts learned during the unit to answer a new or unique situation. Allows students to give evidence of their own understanding toward the mastery of the standard and requires them to extend their chain of mathematical reasoning.
<b>Formative Assessment Lesson (FAL)</b>	Lessons that support teachers in formative assessment which both reveal and develop students’ understanding of key mathematical ideas and applications. These lessons enable teachers and students to monitor in more detail their progress towards the targets of the standards.
<b>3-Act Task</b>	A Three-Act Task is a whole-group mathematics task consisting of 3 distinct parts: an engaging and perplexing Act One, an information and solution seeking Act Two, and a solution discussion and solution revealing Act Three. More information along with guidelines for 3-Act Tasks may be found in the <i>Guide to Three-Act Tasks</i> on <a href="http://georgiastandards.org">georgiastandards.org</a> .

The following tasks represent the level of depth, rigor, and complexity expected of all second grade students. These tasks or tasks of similar depth and rigor should be used to demonstrate evidence of learning. It is important that all elements of a task be addressed throughout the learning process so that students understand what is expected of them.

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Task Name	Task Type/ <i>Grouping Strategy</i>	Content Addressed	Standard(s)	Task Description Students will:
<a href="#">The Candy Bowl</a>	3-Act Task <i>Whole Group</i>	Represent numbers using models, diagrams, and number sentences, Addition Strategies	MGSE2.NBT.6 MGSE2.NBT.7	Develop efficient ways to group numbers and/or develop compensation strategies for addition and subtraction.
<a href="#">Two-Digit Computation</a>	FAL Formative Assessment Lesson <i>Individual</i>	Two-Digit Addition Strategies	MGSE2.NBT.9	This FAL determines how well students fluently add and subtract using strategies based on place value, properties of operations, and/or relationships between addition and subtraction.
<a href="#">Where Am I on the Number Line?</a>	Constructing Task <i>Partners</i>	Represent numbers using models, diagrams, and number sentences	MGSE2.NBT.8 MGSE2.NBT.9	Locate a number on the number line in relation to other numbers and understand its value based on its position to help develop mental math strategies for addition and subtraction problems up to 100.
<a href="#">What's My Number? Revisited</a>	Practice Task <i>Small Groups</i>	Represent numbers using models, diagrams, and number sentences	MGSE2.NBT.8 MGSE2.NBT.9	Apply place value understanding to compose riddles describing numbers to 100 and 1000.
<a href="#">Shake Rattle and Roll</a>	Practice Task <i>Partners</i>	Represent numbers using models, diagrams, and number sentences	MGSE2.NBT.8 MGSE2.NBT.9	Use mental math and estimation skills to solve addition problems within 1000.
<a href="#">Mental Mathematics Revisited</a>	Constructing Task <i>Large Group</i>	Mental Math strategies	MGSE2.NBT.8 MGSE2.NBT.9	Develop efficient ways to group numbers and/or develop compensation strategies for mental addition and subtraction.
<a href="#">Story Problems Revisited</a>	Constructing Task <i>Large Group, Small Group</i>	Representing numbers, Addition and Subtraction	MGSE2.OA.1 MGSE2.OA.2 MGSE2.NBT.5 MGSE2.MD.8	Independently solve addition and subtraction story problems using strategies and explain their mathematical thinking through writing.

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<a href="#">Base Ten Pictures Revisited</a>	Scaffolding Task <i>Large Group, Individual</i>	Represent numbers using models, diagrams, and number sentences	MGSE2.NBT.6 MGSE2.NBT.7 MGSE2.NBT.8 MGSE2.NBT.9	Create art using base-ten blocks and then decide how to decompose the total amount into different numbers to explain their art using an addition equation.
<a href="#">Money to Spend</a>	Constructing Task <i>Small Group</i>	Use money as a medium of exchange	MGSE2.NBT.6 MGSE2.NBT.9 MGSE2.NBT.8	Increase mental math skills as students add up multiple dollar amounts.
<a href="#">Desktop Basketball- Money Version</a>	Practice Task <i>Partner, Individual</i>	Use money as a medium of exchange	MGSE2.NBT.6 MGSE2.NBT.8 MGSE2.MD.8 MGSE2.MD.10	Work with categorical data by organizing and interpreting data. Students will also participate in a game in order to develop efficient mental processes. Students will create either a picture or bar graph to represent data collected.
<a href="#">What I Have and What I Need</a>	Performance Task <i>Individual</i>	Use money as a medium of exchange	MGSE2.NBT.9 MGSE2.MD.8	Use knowledge of coin values to determine how much more money is needed to reach a total amount given a specific starting amount.
<a href="#">Shopping for school supplies</a>	Constructing Task <i>Large Group</i>	Use money as a medium of exchange	MGSE2.NBT.8 MGSE2.MD.8	Apply knowledge of benchmark numbers to estimate costs and determine whether or not there is enough money to make a purchase.
<a href="#">Take 100 Revisited</a>	Constructing Task <i>Partners</i>	Use money as a medium of exchange	MGSE2.NBT.6 MGSE2.NBT.7 MGSE2.NBT.8 MGSE2.NBT.9	Develop strategies by looking for patterns to mentally add up to 4 two-digit numbers to total a sum of 100.
<a href="#">Multi-digit Addition Revisited</a>	Scaffolding Task <i>Individual</i>	Multi-digit addition with regrouping	MGSE2.OA.1 MGSE2.OA.2 MGSE2.NBT.5	Apply developed problem solving strategies and explain solutions for addition number stories and critique the strategies of classmates.
<a href="#">Subtraction: Modeling w/ regrouping</a>	Scaffolding Task <i>Large group, Partners</i>	Multi-digit subtraction with regrouping	MGSE2.OA.1 MGSE2.OA.2 MGSE2.NBT.5	Use place value knowledge to solve two and three-digit subtraction problems with regrouping and explain and defend strategies.

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<a href="#"><u>Perfect 500</u></a>	Practice Task <i>Small Groups or Individual</i>	Represent numbers using models, diagrams, and number sentences	MGSE2.NBT.6 MGSE2.NBT.7 MGSE2.NBT.8 MGSE2.NBT.9	Use various mathematical strategies to create a sum as close as possible to, but not over, 500 at the end of 5 rounds of play.
<a href="#"><u>I have/ You Have a Story</u></a>	Practice Task Small Group or Individual	Represent numbers using models, diagrams, and number sentences	MGSE2.NBT.6 MGSE2.NBT.7 MGSE2.NBT.8 MGSE2.NBT.9	Apply various strategies to create and solve 2 and 3-digit addition and subtraction story problems.
<a href="#"><u>Money in my Pocket</u></a>	Culminating Task	Summative Assessment	MGSE2.NBT.6 MGSE2.NBT.7 MGSE2.NBT.8 MGSE2.NBT.9 MGSE2.MD.8	Choose 3 activities from a menu of items to complete and demonstrate a variety of mathematical understandings.

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**INTERVENTION TABLE**

The Intervention Table below provides links to interventions specific to this unit. The interventions support students and teachers in filling foundational gaps revealed as students work through the unit. All listed interventions are from New Zealand’s Numeracy Project

Cluster of Standards	Name of Intervention	Snapshot of summary or Student I can statement. . .	Materials Master
Use Place Value Understanding and Properties of Operations to Add and Subtract  MGSE2.NBT.6 MGSE2.NBT.7 MGSE2.NBT.8 MGSE2.NBT.9	<a href="#">Number Fans to 1000</a>	Say the forwards and backwards number word sequences in the range 0–100 and know which number is 1 more/1 less and 10 more/10 less	
	<a href="#">Lily Pads</a>	Number order: What comes before and after a given number in the range 0-100	
	<a href="#">Number Hangman 1, 10, 100 More/Less</a>	Identify all numbers in the range 0-100, 0-1000	
	<a href="#">Tens and Ones</a>	Count up to 50 objects by grouping the objects in tens.	
	<a href="#">Bead Strings</a>	Recall the number of tens within decades that add to 100	
	<a href="#">Number Line Flips - Before and After</a>	Ordering numbers in the range 0-100, 0-1000	
	<a href="#">Addition Spin</a>	Solve addition problems to 100 by counting on in their heads.	

### **3 Act TASK: The Candy Bowl**

[Back to Task Table](#)

Adapted from <https://mikewiernicki.com/candy-bowl-revisited/>

Approximately One Class Session

In this task, students will practice addition and subtraction strategies.

#### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

#### **STANDARDS FOR MATHEMATICAL PRACTICE**

**1. Make sense of problems and persevere in solving them.** Students are required to figure out a question to work through, the information they need to solve the problem, and then persevere until solving it.

**2. Reason abstractly and quantitatively.** Students are asked to make an estimate both high and low, as well as plot it on a number line.

**3. Construct viable arguments and critique the reasoning of others.** Students are given the chance to share and critique the questions and strategies of fellow classmates.

**4. Model with mathematics.** Students will use the information given to develop a mathematical model to solve their problems.

**5. Use appropriate tools strategically.** Students can use Base 10 blocks to aid in addition/subtraction strategies.

**6. Attend to precision.** Students will use clear and precise language when discussing their strategies and sharing their solutions with others.

**7. Look for and make use of structure.** Students will use their understanding of place value to help them add and subtract two-digit numbers.

#### **ESSENTIAL QUESTIONS**

- What addition and subtraction strategies are available to us?
- How can we select among the most useful computation strategies for the task we are trying to solve?

## **MATERIALS**

- Video <https://vimeo.com/203628953>
- Student Handout

## **GROUPING**

Individual/Partner Task

## **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

In this task, students will watch the video and then tell what they noticed. Next, they will be asked to discuss what they wonder about or are curious about. Their curiosities will be recorded as questions on a class chart or on the board. Students will then use mathematics to answer their own questions. Students will be given information to solve the problem based on need. When they realize they don't have the information they need, and ask for it, it will be given to them.

### **Background Knowledge:**

This task follows the 3-Act Math Task format originally developed by Dan Meyer. More information on this type of task may be found at <http://blog.mrmeyer.com/category/3acts/>. A Three-Act Task is a whole-group mathematics task consisting of 3 distinct parts: an engaging and perplexing Act One, an information and solution seeking Act Two, and a solution discussion and solution revealing Act Three. More information along with guidelines for 3-Act Tasks may be found in the *Guide to Three-Act Tasks* on [georgiastandards.org](http://georgiastandards.org).

In this task, students will be shown a video about candy being taken out and put into a bowl. Most of the student generated questions will require students to solve a multistep problem as well as use the information given to work backwards to solve problems. The main purpose of this task is for students to use problem solving skills to solve two-digit addition and subtraction problems.

Students should have some prior experiences with basic computation strategies allowing them to calculate quickly and reliably. Examples include counting on, doubling, making tens, making hundreds, and using 10 as a benchmark number. Discussions should move beyond whether or not the answers are correct. The goal here is to develop efficient ways to group numbers and/or develop compensation strategies for addition and subtraction. The value of group discussions and modeling is evident when students gather insights from their classmates that will reinforce basic number sense and develop strategies that will help them become better at computation.

Students should be encouraged to solve problems in ways that make sense to them. If students have never been encouraged to solve problems mentally and share their own strategies with others, they may be reluctant to share or may feel that their strategy is inappropriate. Establish ground rules in your classroom about sharing ideas and how students can appropriately respond to each other.

**Common Misconceptions:**

Students may think that the 4 in 46 represents 4, not 40. Students need many experiences representing two- and three-digit numbers with manipulatives that are pre-grouped (base ten blocks) and those that are not pre-grouped, such as counters, etc.

When adding two-digit numbers, some students might start with the digits in the ones place and record the entire sum. Then they add the digits in the tens place and record this sum. Assess students' understanding of a ten and provide more experiences modeling addition with groupable and pre-grouped base-ten materials as mentioned above. When subtracting two-digit numbers, students might start with the digits in the ones place and subtract the smaller digit from the greater digit. Then they move to the tens and the hundreds places and subtract the smaller digits from the greater digits. Assess students' understanding of a ten and provide more experiences modeling subtraction with groupable and pre-grouped base-ten materials.

**Task Directions:**

**Act I – Whole Group** - Pose the conflict and introduce students to the scenario by showing Act I video (<https://vimeo.com/203628953>). (Dan Meyer <http://blog.mrmeyer.com/2011/the-three-acts-of-a-mathematical-story/>)

**“Introduce the central conflict of your story/task clearly, visually, viscerally, using as few words as possible.”**

**Task Directions**

**Act I – Whole Group** - Pose the conflict and introduce students to the scenario by showing Act I video.

1. Show video to students. (<https://vimeo.com/203628953>)
2. Ask students what they noticed in the video. The teacher records this information.
3. Ask students what they wonder about and what questions they have about what they saw. Students should share with each other first, and then the teacher records these questions (think-pair-share). The teacher may need to guide students so that the questions generated are math-related.
4. Ask students to estimate answers to their questions (think-pair-share). Students will write their best estimate, then write two more estimates – one that is too low and one that is too high so that they establish a range in which the solution should occur.

**Anticipated questions students may ask and wish to answer:**

- How many Snickers were in the bowl to start?\*
- How many did the teachers eat?
- How many Twix candies are there in the bowl now?
- How much candy was in the bowl in the beginning?

\*Main question(s) to be investigated

**Act 2 – Student Exploration** - Provide additional information as students work toward solutions to their questions. (Dan Meyer <http://blog.mrmeyer.com/2011/the-three-acts-of-a-mathematical-story/>)

**“The protagonist/student overcomes obstacles, looks for resources, and develops new tools.”**

- During Act 2, students determine the main question(s) from Act 1 and decide on the facts, tools, and other information needed to answer the question(s). When students decide what they need to solve the problem, they should ask for those things. It is pivotal to the problem-solving process that students decide what is needed without being given the information up front. Some groups might need scaffolds to guide them. The teacher should question groups who seem to be moving in the wrong direction or might not know where to begin.
- The teacher provides guidance as needed during this phase. Some groups might need scaffolds to guide them. The teacher should question groups who seem to be moving in the wrong direction or might not know where to begin. Questioning is an effective strategy that can be used, with questions such as:
  - What is the problem you are trying to solve?
  - What do you think affects the situation?
  - Can you explain what you’ve done so far?
  - What strategies are you using?
  - What assumptions are you making?
  - What tools or models may help you?
  - Why is that true?
  - Does that make sense?

Additional Information for Act 2

- In the beginning, there were 48 Snickers and Twix candy bars in the bowl.
- 26 Milky Ways were added after the teachers ate all of the Snickers.
- Now there are 54 pieces of candy.

**Important note:** Although students will only investigate the main question(s) for this task, it is important for the teacher to **not** ignore student generated questions. Additional questions may be answered after they’ve found a solution to the main question, or as homework or extra projects.

**Act 3 – Whole Group** – Share solutions and strategies.

- Students to present their solutions and strategies and compare them.
- Reveal the solution. 28 Twix, 20 Snickers
- Lead discussion to compare these, asking questions such as:
  - How reasonable was your estimate?
  - Which strategy was most efficient?
  - Can you think of another method that might have worked?
  - What might you do differently next time?

**Act 4, The Sequel** - “The goals of the sequel task are to a) challenge students who finished quickly so b) I can help students who need my help. It can't feel like punishment for good work. It can't seem like drudgery. It has to entice and activate the imagination.” Dan Meyer

<http://blog.mrmeyer.com/2013/teaching-with-three-act-tasks-act-three-sequel/>

- If 5 different teachers each have the same bowl of candy in their rooms, how much candy do they have all together?
- I need enough candy to give 200 people a piece. How many bags of Whoppers do I need to add to my candy bowl so that I have enough for everyone to have a piece of candy?
- I added another bag of Whoppers in the bowl. How many more Whoppers are now in the bowl than Milky Ways?

### **FORMATIVE ASSESSMENT QUESTIONS**

- How reasonable was your estimate?
- What might you do differently next time?
- What worked well for you this time?
- What model did you use?
- What organizational strategies did you use?

### **DIFFERENTIATION**

#### **Extension**

- Have students write their own story problem to solve with the video.

#### **Intervention**

- Give students manipulatives to aid in computation.

[Intervention Table](#)

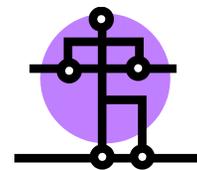


## **CONSTRUCTING TASK: Where Am I on the Number Line?** Revisited

[Back to Task Table](#)

Approximately 1 Day (Adapted from: <http://www.Mathwire.com>)

In this task, the students will develop mental math strategies as they use number lines to solve addition and subtraction problems up to 100.



### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

### **STANDARDS FOR MATHEMATICAL PRACTICE (SMP)**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 5. Use appropriate tools strategically.**  
*Students use number lines to add and subtract numbers up to 100.*
- 6. Attend to precision.**
- 7. Look for and make use of structure.**  
*Students develop mental math strategies as they look for mathematical patterns.*

### **TASK DESCRIPTION**

In this game, students will be reviewing counting up and counting back by ten to get an answer. As the students play the game they will also be able to see where a number lives on a number line and the number's relative position to each other. Being able to locate a number on the number line (the relative position of numerals) in relation to other numbers is essential to developing solid number sense. It will also help the student understand its value in relation to other numbers. This task is an extension of a task from Unit 1, titled, Where Am I on the Number Line? The work in this task prepares students for addressing standard **MGSE2.NBT.8**.

A large portion of the second-grade standards emphasize the importance of students developing a solid understanding of the relationship between addition and subtraction. An example of this is when a child uses an addition strategy (counting on) to solve a subtraction problem. The process of adding-on helps students focus on the distance between the two amounts. Using a linear model of an “open number line” (meaning a line that does not have designated numbers already on it) in this game will help students act out adding or subtracting 10 from a given number. Use of a number chart for this activity is not recommended because it will not introduce or provide support for demonstrating how students can utilize the strategy of an open number line to solve addition and subtraction problems.

## **ESSENTIAL QUESTIONS**

- How can place value help us locate a number on the number line?
- How can I use a number line to add or subtract?
- How can I use a number line to figure out 10 more or less than a number?
- What happens to the value of a number when we add or subtract 10 from it? What digits change? What digits stay the same? Why?

## **MATERIALS**

- Spinners, one per pair of students (Available with 2 on a page in Unit 1)
- 0 -100 student number lines
- 0 -100 class number line made from adding machine tape

## **GROUPING**

Partners

## **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

### **Part I**

**Review the game with the whole class before assigning partners to play.** Using adding machine tape, create a 0 -100 number line. Use this number line to introduce “Where Am I on the Number Line?” Each time the spinner is spun, a student will move a paper clip or clothespin the appropriate number of spaces either up or down the number line. Have students give a number sentence that matches with their move. Example: The player’s clothespin is on 25 and he spins a -10. He will move the clothespin back and tell the class, “ $25 - 10 = 15$ .” Students will begin on “25” and move forward or back accordingly. If they spin a number that is more than they can subtract they lose that turn. **When this happens make sure to discuss the fact that there ARE numbers on the other side of zero, negative numbers, but for now we are only working with/talking about the positive numbers.**

### **Student Directions**

- Each player puts a paper clip or clothespin on 25.
- Place a transparent spinner on the game spinner. (See example provided)
- Player A spins the spinner, adds or subtracts that number spun and places the paper clip on that answer.
- Player B spins the spinner and moves as above.
- Player A spins the spinner, adds or subtracts the number based on where his/her paper clip is, then moves the paper clip to the new answer.
- Player B does the same.
- The game continues until one of the players reaches or passes 100 on the number line.
- The first player to reach or pass 100 wins the game.

**Variation:** *As the year progresses, change the number lines to show counts by 5's, 10's or 100's. Using dice, each roll of the dice has to be changed into the corresponding multiple of that number. Example: If a student rolls a 3 on a 10's number line that roll will represent 30.*

### **FORMATIVE ASSESSMENT QUESTIONS**

- How does place value help us locate a number on the number line?
- How can I use a number line as a model to help us to add or subtract?
- Does a number line always have to begin with zero or one? Why not?
- How did you figure out what number was 1, 2, 3, or 10 to the left or right of the marked number?
- What happens to the value of a number when we add or subtract 10 from it? What digits change? What digits stay the same? Why?

### **DIFFERENTIATION**

#### **Extension**

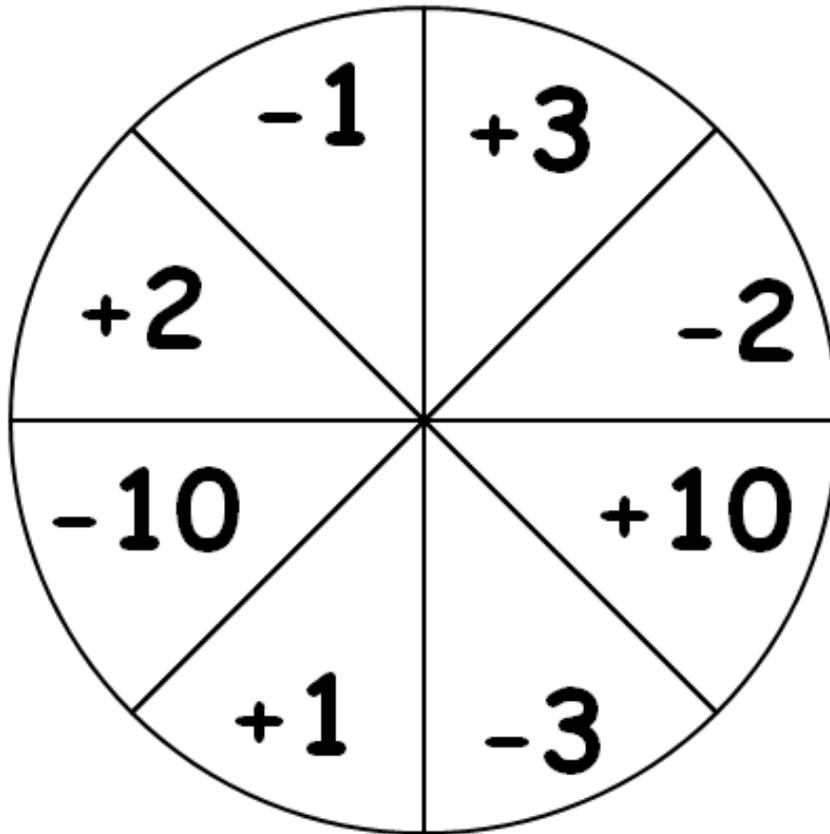
- Make a number line with only even or odd numbers so that students create a mental image of what the numeral's "neighbor" is on the number line.
- Use a spinner with larger numbers.

#### **Intervention**

- Reduce the number line to numerals less than 50 and use dice, either one or two depending on the level of the student. As the student becomes more proficient, the number line may be lengthened to include larger numbers.
- Use a spinner with fewer numbers.
- Use a 0-99 chart so that students can circle the numbers that do or do not match the clue.

[Intervention Table](#)

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**Spinner – Where Am I on the Number Line?**



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**Where Am I On the Number Line? Revisited**

Students will cut these apart and glue together to make a 0 -100 number line.

<b>0</b>	<b>1</b>	<b>2</b>	<b>3</b>	<b>4</b>	<b>5</b>	<b>6</b>	<b>7</b>	<b>8</b>	<b>9</b>	
<b>10</b>	<b>11</b>	<b>12</b>	<b>13</b>	<b>14</b>	<b>15</b>	<b>16</b>	<b>17</b>	<b>18</b>	<b>19</b>	
<b>20</b>	<b>21</b>	<b>22</b>	<b>23</b>	<b>24</b>	<b>25</b>	<b>26</b>	<b>27</b>	<b>28</b>	<b>29</b>	
<b>30</b>	<b>31</b>	<b>32</b>	<b>33</b>	<b>34</b>	<b>35</b>	<b>36</b>	<b>37</b>	<b>38</b>	<b>39</b>	
<b>40</b>	<b>41</b>	<b>42</b>	<b>43</b>	<b>44</b>	<b>45</b>	<b>46</b>	<b>47</b>	<b>48</b>	<b>49</b>	
<b>50</b>	<b>51</b>	<b>52</b>	<b>53</b>	<b>54</b>	<b>55</b>	<b>56</b>	<b>57</b>	<b>58</b>	<b>59</b>	
<b>60</b>	<b>61</b>	<b>62</b>	<b>63</b>	<b>64</b>	<b>65</b>	<b>66</b>	<b>67</b>	<b>68</b>	<b>69</b>	
<b>70</b>	<b>71</b>	<b>72</b>	<b>73</b>	<b>74</b>	<b>75</b>	<b>76</b>	<b>77</b>	<b>78</b>	<b>79</b>	
<b>80</b>	<b>81</b>	<b>82</b>	<b>83</b>	<b>84</b>	<b>85</b>	<b>86</b>	<b>87</b>	<b>88</b>	<b>89</b>	
<b>90</b>	<b>91</b>	<b>92</b>	<b>93</b>	<b>94</b>	<b>95</b>	<b>96</b>	<b>97</b>	<b>98</b>	<b>99</b>	<b>100</b>

## **PRACTICE TASK: What’s My Number? Revisited**

[Back to Task Table](#)

Approximately 2-3 Days

In this task, the students will solve and write riddles describing numbers to 100.

### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.



### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

1. **Make sense of problems and persevere in solving them.**
2. **Reason abstractly and quantitatively.**  
*Students make a connection between the quantities and written expressions and description of a number.*
6. **Attend to precision.**
8. **Look for and express regularity in repeated reasoning.**  
*Students understand that strategies used to describe two-digit numbers also apply to three-digit numbers.*

### **BACKGROUND KNOWLEDGE**

This activity helps students build flexibility using language and equivalent representations of numbers. Base-ten manipulatives should be available if students desire to use them to visualize the numbers. Students could also draw pictures to help them make up their clues to find the mystery number. Children may begin with very simple, straightforward clues about their number. But eventually, they will start to try to make up more difficult clues that don’t simply give away the answer. They played this game initially in Unit 1, but now they will be working with larger numbers. They will need practice with it, so provide multiple opportunities for this activity. If you have not already done the task, “What’s My Number”, from Unit 1, then consider completing that task first with your students. A brief review of the rules is provided in the Task description below, but you may want to refer back to the original task in Unit 1.

### **ESSENTIAL QUESTIONS**

- Why should we understand place value?
- What are the different ways we can show or make (represent) a number?
- What is the difference between place and value?
- If we have two or more numbers, how do we know which is greater?

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- What happens to the value of a number when we add or subtract 10? What digits change? What digits stay the same? Why?
- What happens to the value of a number when we add or subtract 100? What digits change, what digits stay the same? Why?

**MATERIALS**

- Math Journals to record/explain concepts (optional)
- Base 10 manipulatives, as needed

**GROUPING**

Small Group

**TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

**Part I**

**Review of original “What’s My Number” task from Unit 1**

Begin the lesson with the following reminder clues for playing “What’s My Number”

*I am a two-digit number*

*One of my digits is twice as big as the other*

*I am an even number*

*I live between 40 and 50 on the number line.*

*When you add my digits the sum is 6*

*Who Am I?*

(Answer: 42)

Discuss with students what strategies they used to figure out the correct number. Do another example with the whole class, if necessary. Then have students work with a partner and together they will choose any two-digit number. After thinking of multiple ways to describe their number, students write down at least 3 clues to help someone else figure out their number. Have each partner set switch with another set of partners to give their hints to so they can try to figure out the number.

**Part II**

Once students are able to successfully generate clues for a given number then tell them now they will get to choose any 3-digit number to write clues for, but they will now have to write at least six clues for each number they select. Also, they will need to include use at least three of the following statements in their clues:

My number is 10 more than...

My number is 10 less than...

My number is 100 more than...

My number is 100 less than...

### **Part III**

Each child creates their own set of clues. Some children may be able to create more than just one set. All sets could be collected and put together as a class game/book then placed in a center for continued use throughout the year.

Examples of clues that progress from easy to difficult (specific to general):

- I have a 4 in my tens place, a 2 in my ones place, and a 7 in my hundreds place. Who am I?
- I am 1 ten and 2 hundreds less than 490. Who am I?
- I have 1 more ten than the number 14. Add 3 ones and two more hundreds to get my total. Who am I?
- I am 1 ten 5 hundreds, and 29 ones. Who am I?

### **FORMATIVE ASSESSMENT QUESTIONS**

- What is the difference between place and value?
- How did you use your understanding of place value to write clues?
- What are the different ways we can show or make (represent) a number?
- Did you use a strategy for writing clues? If so what was it?
- Did you use a strategy for figuring out someone else's clues? If so what was it?
- What happens to the value of a number when we add or subtract 10? What digits change? What digits stay the same? Why?
- What happens to the value of a number when we add or subtract 100? What digits change, what digits stay the same? Why?

### **DIFFERENTIATION**

#### **Extension**

- After a student has guessed the number, challenge them to describe that same number in several different ways.

#### **Intervention**

- Students who are still having difficulty with understanding the magnitude of numbers and their place value should continue to work with two-digit numbers. They can be given Popsicle sticks to bundle into groups of ten. As they are bundled, the student places the Popsicle sticks in cups or on a mat labeled ones, tens, and hundreds. This is more hands-on for the student who has a difficult time accepting the base 10 rod as a group of ten because it is already together. Have the student stop on occasion and count out what they have on their mat. Add single Popsicle sticks to the mat and ask what number that would make. Have students count the Popsicle sticks in bundles, then take a bundle apart and have the student count it again. This extra practice will help them recognize that the number doesn't change even though the bundle of ten has been taken apart. This can also be done by using connecting cubes (i.e. Unifix cubes). Finally, the student could trade each bundle of ten or one hundred for the matching base 10 blocks.
- Using pennies, dimes, and dollars may also help students to grasp the idea of regrouping ("changing") ones, tens and hundreds, but still keeping the same total amount.

#### **[Intervention Table](#)**

**PRACTICE TASK: Shake, Rattle, and Roll** Revisited

[Back to Task Table](#)

Approximately 1 Day

In this task, the students will develop mental math skills (adding and subtracting 10 or 100) as they create numbers in a game using dice.



**STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 3. Construct viable arguments and critique the reasoning of others.**  
*Students justify their estimations.*
- 6. Attend to precision.**
- 7. Look for and make use of structure.**  
*Students use place value knowledge to determine the largest possible number then add or subtract by 10 or 100.*

**BACKGROUND KNOWLEDGE**

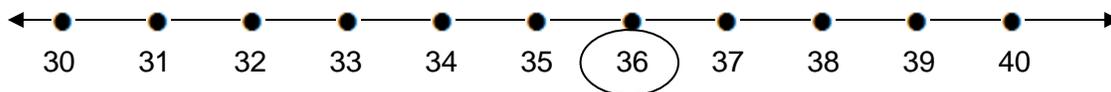
This task is designed to provide addition practice and mental math/estimation skills. You may want to use a book like *Mental Math in the Primary Grades* by [Jack Hope](#), [R. Reys](#), [Larry Leutizinger](#), [Barbara Reys](#), and [Robert Reys](#) to practice mental math with the class as a whole group.

Use all available opportunities during the day to incorporate the use of estimation, for example, determining to which multiple of 10, or 100 a given number is nearest. This skill was addressed in the first two tasks of this Unit. (See *Where am I on the Number Line* and *What's My Number*). The task may be supported with the use of a number line 0-99 chart and/or a hundreds chart. Students should have these tools available for this task. Alternatively, students can create a number line to determine the closest multiple of ten. A student sheet with open number lines could be provided. An example of an open number line is shown below.

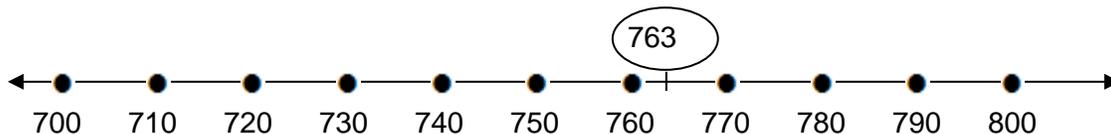


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Georgia Standards of Excellence Framework  
*GSE Applying Base Ten Understanding • Unit 4*

For the number 36, students can fill in the numbers around 36, including the two closest multiples of ten as shown below. Then looking at the number line, students can determine the multiple of ten that is the closest to 36. In this case 40 is 4 away, but 30 is 6 away, so 40 is the closest multiple of ten.



For the number 763, students can follow a similar procedure to estimate to the nearest hundred. Students will need to determine the multiple of one hundred that is the closest to 763. In this case 700 is more than 60 away, but 800 is less than 40 away, so 800 is the closest multiple of one hundred.



Estimating skills will help students determine reasonableness of answers, a vital skill for everyday living.

### **ESSENTIAL QUESTIONS**

- What is the difference between place and value?
- If we have two or more numbers, how do we know which is greater?
- What happens to the value of a number when we add or subtract 10 from it? What digits change? What digits stay the same? Why?
- What happens to the value of a number when we add or subtract 100 from it? What digits change, what digits stay the same? Why?
- How does mental math help us calculate more quickly and develop an internal sense of number?

### **MATERIALS**

- Three six-sided dice for each pair of students
- “Shake, Rattle, and Roll” Recording Sheet
- Multiple decks of Addition and Subtraction Instruction cards that have either *add or subtract 10* or *add or subtract 100* on them.

### **GROUPING**

Partner/Small Group Task

## **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

In this task, students play a game with dice that enables them to build mental math concepts as they practice addition skills and strategies, and determine to which multiple of ten a given number is nearest.

Special note: Though not a component of this task, teachers may wish to use this as an opportunity to discuss/practice estimation with three-digit numbers.

### **Task Directions**

Students will follow the directions below from the “Shake, Rattle and Roll” Recording Sheet. Let the students know that this is a two-player game that will help them practice adding and subtracting 10 and 100 from different numbers. The goal of the game is to be the person with the most points at the end of ten turns.

#### Directions:

1. The partners need to gather your materials. You will need 3 dice, a recording sheet for each player, and a stack of addition subtraction instruction cards.
2. Players will need to take turns rolling the dice each round
3. Player one rolls the three dice and then both players form the largest possible number.

Example: Rolled a 4, 1, and 5 so students should create the number



Then each player will flip over their own card from the addition/subtraction instructions deck that will instruct them to either add or subtract 10 or 100 from the number they made.

Players record both the original amount and the new amount on the game recording sheet.

**Partner must agree on the new numbers generated after following instructions on the addition/subtraction card.**

For round two, player two takes a turn rolling the dice, and following the same procedures explained above. Players take turns for a total of five rounds. After each round, each player compares their numbers. The player with the higher number wins that particular round.

## **FORMATIVE ASSESSMENT QUESTIONS**

- What strategy did you and your partner use to figure out the largest three-digit number you could make from your roll?
- Explain how you decided if your partner was right when they were adding or subtracting?

## **DIFFERENTIATION**

### **Extension**

- Ask students to play the game again, but this time roll 4 dice and create numbers using the one-thousands place. Make sure to ask students if they think this changes the game? If so, have them explain how.

### **Intervention**

- Use number lines, number charts, and models to help students who are having difficulty determining to which multiple of ten their number is nearest. Use counting up/counting back to the nearest multiple of ten, and compare the results to determine to which multiple of ten a number is closest.
- Students can play the game using fewer dice, adjusting the game accordingly. Once students become comfortable with fewer dice, they can challenge themselves by playing the game with the required three dice.

### [Intervention Table](#)

## **TECHNOLOGY CONNECTION**

- [http://www.shodor.org/interactivate/activities/EstimatorFour/?version=1.6.0\\_02&browser=MSIE&vendor=Sun\\_Microsystems\\_Inc](http://www.shodor.org/interactivate/activities/EstimatorFour/?version=1.6.0_02&browser=MSIE&vendor=Sun_Microsystems_Inc). A “Four in a Row” game where players get checkers when they quickly and efficiently estimate a sum to two numbers.

Georgia Department of Education  
Georgia Standards of Excellence Framework  
*GSE Applying Base Ten Understanding • Unit 4*

$+10$	$+100$	$-10$	$-100$
$+10$	$+100$	$-10$	$-100$
$+10$	$+100$	$-10$	$-100$

Name \_\_\_\_\_ Date \_\_\_\_\_

### Shake, Rattle, and Roll

#### Game Directions

This is a two-player game that will help you practice adding and subtracting 10 and 100. The goal of the game is to be the person with the most points at the end of five turns.



#### Directions:

1. Play with a partner. You will need 3 dice, a recording sheet for each player, and a set of addition and subtraction instruction cards.
2. Player one rolls the three dice and then each player forms the largest possible number as shown below.

Example:

Using the digits 4, 5, and 1, make the number 541



3. Player one and two record the number on the game recording sheet.
4. Then each player will take a turn drawing one of the addition/subtraction instruction cards from the deck. Each player will need to follow the instructions on their own card! The card will tell you to either add or subtract 10 or 100 from the original number.
5. Each player then records their new number on the recording sheet.
6. **Each partner must agree with the other partner's new number!**
7. After each round, players compare their new numbers. The player with the higher number wins the round



Player 1 \_\_\_\_\_

**Shake, Rattle, and Roll Game**

Round	Die 1	Die 2	Die 3	Largest Number	Add or subtract 10 or 100	New Number	Higher or Lower than Partner	If your score is higher than your partner's, you get 10 points.
1								
2								
3								
4								
5								
Total:								

Player 2 \_\_\_\_\_

**Shake, Rattle, and Roll Game**



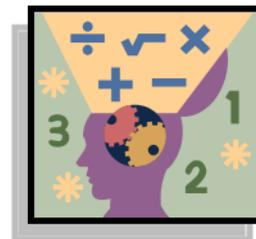
Round	Die 1	Die 2	Die 3	Largest Number	Add or subtract 10 or 100	New Number	Higher or Lower than Partner	If your score is higher than your partner's, you get 10 points.
1								
2								
3								
4								
5								
Total:								

## **CONSTRUCTING TASK: Mental Mathematics Revisited**

[Back to Task Table](#)

Approximately 1-2 Days

In this task, the students will use and share mental math strategies, using number talks, to solve addition and subtraction problems with three-digit numbers.



### **STANDARDS OF MATHEMATICAL CONTENT**

**MGSE.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**  
*The students will realize that using mental math strategies with larger numbers will take more think time.*
- 3. Construct viable arguments and critique the reasoning of others.**  
*Students solve problems and share mental math strategies.*
- 6. Attend to precision.**
- 8. Look for and express regularity in repeated reasoning.**  
*Students will make connections between mental math strategies used for two-digit numbers and their application to three-digit numbers.*

### **BACKGROUND KNOWLEDGE**

Students should have some prior experiences with basic computation strategies allowing them to calculate quickly and reliably. Examples include counting on, doubling, making tens, making hundreds, and using 10 as a benchmark number. Previous tasks in this Unit have helped to establish this fluency. Additionally, in Unit 2 a similar task was introduced (Mental Mathematics) using smaller numbers. If you have not completed this task or a similar type task, then you may want to consider completing this task before trying out this task with your students.

Discussions should move beyond whether or not the answers are correct. The goal here is to develop efficient ways to group numbers and/or develop compensation strategies for mental addition and subtraction. The value of group discussions and modeling is evident when students gather insights from their classmates that will reinforce basic number sense and develop strategies that will help them become better at mental computation. Throughout the year, this type of task is a valuable opening activity and should be revisited frequently. When using mental math problems as an opening activity, use just one or two problems and focus on the strategies students use to find the solution.

Students should be encouraged to solve problems in ways that make sense to them. If students have never been encouraged to solve problems mentally and share their own strategies with others, they may be reluctant to share or may feel that their strategy is inappropriate. Establish ground rules in your classroom about sharing ideas and how students can appropriately respond to each other.

### **ESSENTIAL QUESTIONS**

- What is mental math?
- How does mental math help us calculate more quickly and develop an internal sense of numbers?
- What mental math strategies are available to us?
- How can we select among the most useful mental math strategies for the task we are trying to solve?

### **MATERIALS**

- Chalkboard, overhead projector, or Interactive Whiteboard
- “Mental Mathematics” Recording Sheet

### **GROUPING**

Whole Class/Small Group Task

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

In this task, students will engage in mental math activities and rich group discussions about various strategies used to find the answers to addition and subtraction problems without paper and pencil.

#### **Task Directions**

Begin this activity by placing one problem at a time on the board (see examples below), preferably horizontally. Be aware that students may initially need individual time to solve these problems mentally, so encourage students to be patient and quiet during this time. Encourage students to use quiet think time rather than raising their hands or calling out the answer. One strategy is to place a symbol like a star or a smiley face on the board this can provide a more productive and friendly environment for students to work and think “mentally” about a particular problem.

After allowing enough time for students to consider the problem, lead a discussion by asking several students to share their solution and/or strategy. Simply stating an answer is not enough to make this a rich activity. Encourage students to share different strategies by explaining their thinking though both words and pictures, if possible. Encouraging them to visualize a number line can help facilitate this discussion. As students are sharing, be sure to keep others involved by

asking them to try to make sense of each solution as it is presented. Remind students that the goal is to become **efficient** and **flexible** in their thinking and strategies.

This task is an opportunity for meaningful Number Talks. Refer to Sherry Parrish, *Number Talks*.

Have students follow the directions below:

Solve the following problems as they are placed on the board using no paper or manipulatives. Use your mental math strategies. Be prepared to share your solutions and strategies.

- $180 + 60$   
Students may solve this problem in a variety of ways. Examples are:
  - ❖  $180 + 20$  is 200 and 40 more is 240.
  - ❖  $80 + 60$  is 140 and 100 more is 240.
  - ❖  $60 + 40$  is 100, 100 more is 200 and 40 more is 240.
  
- $370 + 230$   
Students may solve this problem in a variety of ways. Examples are:
  - ❖  $300 + 200$  is 500 and  $70 + 30$  is 100, so  $500 + 100$  is 600.
  - ❖  $70 + 30$  is 100 and  $200 + 300$  is 500, so  $100 + 500$  is 600.
  - ❖  $230 + 70$  is 300 and 300 more is 600.
  
- $870 - 60$   
Students may solve this problem in a variety of ways. Examples are:
  - ❖ 870 is 87 tens and 6 less tens makes 81 tens which is the same as 810
  - ❖  $70 - 60$  is 10. Add back 800 to make 810.
  - ❖ Some may attempt a traditional algorithm, but should notice that this is more cumbersome than examining the numbers and using the ideas above to compute.
  
- $720 - 280$   
Students may solve this problem in a variety of ways. Examples are:
  - ❖  $720 - 200$  is 520, then  $520 - 80$  is 440.
  - ❖  $720 - 80$  is 640, then  $640 - 200$  is 440.
  - ❖ You need 20 more to get to 300 from 280, then 420 more to get to 720, so the answer is  $20 + 420$  or 440. Note: Students who use this method are actually finding the *difference* between the two numbers and not simply “taking away.” This is a wonderful opportunity to discuss different approaches to subtraction.

### **FORMATIVE ASSESSMENT QUESTIONS**

- What is one strategy you could use to solve the problem quickly?
- How can you verify your solution?
- Could this problem be thought about in another way? How?
- Which problem solving strategy works best for you?

## **DIFFERENTIATION**

### **Extension**

- Have students develop their own mental math problems, solve them, and explain their solution strategies.

### **Intervention**

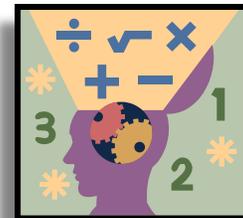
- Have students work with smaller, single-digit numbers initially.
- Have students work with a partner to develop strategies.
- Students who struggle with math reasoning often have difficulty communicating their thinking. Extra sensitivity and encouragement must be shown for these students as they develop and strengthen these sets of process skills. Questioning can scaffold students who are challenged by discussing their math thinking.

### **[Intervention Table](#)**

Name \_\_\_\_\_ Date \_\_\_\_\_

### Mental Mathematics

Try to solve the problems using mental mathematics first. Then record your thinking in the correct box below. During student sharing, record any strategies you think are helpful.



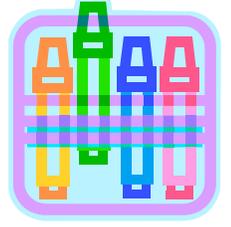
<p style="text-align: center;"><b><u>Problem #1</u></b></p>	<p style="text-align: center;"><b><u>Problem #2</u></b></p>
<p style="text-align: center;"><b><u>Problem #3</u></b></p>	<p style="text-align: center;"><b><u>Problem #4</u></b></p>

## **CONSTRUCTING TASK: Story Problems** Revisited

[Back to Task Table](#)

Approximately 1 Day

In this task, the students will solve and explain more difficult story problems. Additionally, students will explain their thinking in written form.



### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.OA.1** Use addition and subtraction within 100 to solve one and two step word problems by using drawings and equations with a symbol for the unknown number to represent the problem. Problems include contexts that involve adding to, taking from, putting together/taking apart (part/part/whole) and comparing, with unknowns in all positions.

**MGSE2.OA.2** Fluently add and subtract within 20 using mental strategies. By end of Grade 2, know from memory all sums of two one-digit numbers.

**MGSE2.NBT.5** Fluently add and subtract within 100 using strategies based on place value, properties of operations, and/or the relationship between addition and subtraction.

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 2. Construct viable arguments and critique the reasoning of others**  
*Students will share and defend the strategies they used to solve the word problems.*
- 5. Use appropriate tools strategically.**  
*Students are making choices about the tools (drawing pictures, manipulatives) used to solve word problems.*
- 6. Attend to precision.**  
*Students are using mathematical language to explain their thinking while solving story problems.*

### **BACKGROUND KNOWLEDGE**

Students should be able to discuss how to solve the word problems. They should also be able to think about what is happening in a story and picture the story in their minds including the objects and actions in the story.

The following questions would be used to guide their thinking prior to this task:

- What happened first? What happened next?
- What does each amount in the story represent?
- How could we draw a picture to show what is going on in the story?

They should solve the problems using pictures, words, and numbers. They should act out the story to make sure pictures, words, and numbers that were used make sense.

### **ESSENTIAL QUESTIONS**

- How do we solve problems in different ways?
- How can we show/represent problems in different ways?
- How can different combinations of numbers and operations be used to represent the same quantity?
- How are addition and subtraction alike and how are they different?
- How does using ten as a benchmark number help us add and subtract?

### **MATERIALS**

- A large selection of manipulatives
- Paper
- “Story Problems: Part 2” student task sheet (1 per students)

### **GROUPING**

Individual

### **TASK DESCRIPTION, DEVELOPMENT, AND DISCUSSION**

#### **Comment**

Students are completing each of the problems in this task individually. In order to be successful in the task, students should have had multiple experiences solving problems involving addition and subtraction. This standard calls for students to add and subtract numbers within 100 in the context of one and two step word problems. Students should have ample experiences working on various types of problems that have unknowns in all positions using drawings, objects, and equations. Students can use place value blocks or number charts, or create drawings of place value blocks or number lines to support their work.

## **Part I**

Have a brief discussion with the class where you do a few example problems, such as;

*Gumdrops cost 5 cents each. I bought 4 gumdrops. How much did I spend?*

*Jake had 41 stickers in his book, 14 in his desk, and 26 under his bed. Sara has 50 stickers total. Who has more stickers? How many more do they have?*

Present “Story Problems” task sheet and allow students to complete individually. Students can solve the problems any way they choose, using any manipulatives and tools they need. Remind students to record their solutions with pictures, words, and numbers. Students should be prepared to write and share their thinking with the class.

### **FORMATIVE ASSESSMENT QUESTIONS**

- What strategies did you use to solve the problems?
- Did you try to solve the problem more than one way?
- How did you determine which way, (equation, picture, words) to represent the number?
- Did you use skip counting to help you solve any of the problems? If so, which ones and how?
- How do you determine if an amount can be shared equally? Why should it be shared equally?
- What mathematical vocabulary did you use when you explained your strategies? Why do you think these words are important?

### **DIFFERENTIATION**

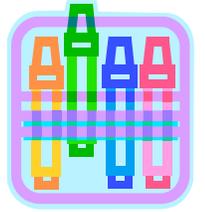
#### **Extension**

- Have students choose one problem and show as many strategies as they can to solve the problem.

#### **Intervention**

- Provide a 99 chart or number line to help with skip-counting.
- Provide a “secretary” to write strategies for students struggling with communicating their thinking. Explain to the secretary to write exactly what the struggling student says.

[Intervention Table](#)



Name: \_\_\_\_\_ Date \_\_\_\_\_

**Story Problems: Part 2**

Jessica had 78 balloons. She gave away 49 to Kelly. How many does Jessica have now? Show your work.

Explain your thinking using mathematical words.

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2. Red tokens cost \$1 each and Pat bought 7, then he bought 2 blue tokens that cost \$5 each. How much more money did he spend on blue tokens?

Show your work.

Explain your thinking using mathematical words.

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3. I am thinking of an odd, 2-digit number. It is less than 60, but more than 40. The sum of the digits is 9. It is ten more than 35. What is my number? \_\_\_\_\_

Show your work.

Explain your thinking using mathematical words.

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**SCAFFOLDING TASK: Base Ten Pictures** Revisited

[Back to Task Table](#)

Approximately 1-2 Days

(Adapted from Understanding Numbers: Place Value by Kathy Richardson – Math Perspectives p. 22, 23)

In this task, the students will create pictures using base ten blocks for numbers between 200 and 1000.



**STANDARDS OF MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

1. **Make sense of problems and persevere in solving them.**
2. **Reason abstractly and quantitatively.**  
*Students will make connections between their base ten pictures (quantity) and the numerical form.*
4. **Model with mathematics.**  
*Students use base ten blocks to create and interpret pictures.*
6. **Attend to precision.**

**BACKGROUND KNOWLEDGE**

Students need to build on their flexible strategies for adding to fluently add and subtract within 100, add up to four two-digit numbers, and find sums and differences less than or equal to 1000 using numbers 0 to 1000 and analyze problems before solving them. Initially, students apply base-ten concepts and use direct modeling with physical objects or drawings to find different ways to solve problems. They move to inventing strategies that do not involve physical materials or counting by ones to solve problems. Student-invented strategies likely will be based on place-value concepts, the commutative and associative properties, and the relationship between addition and subtraction.

These strategies should be done both mentally and with a written record for support. **It is vital that student-invented strategies be shared, explored, recorded and tried by others.**

Recording the expressions and equations in the strategies horizontally encourages students to think about the numbers and the quantities they represent instead of the digits. *Not every student will invent strategies, but all students can and will try strategies they have seen that make sense to them.* Different students will prefer different strategies. Students will decompose and compose tens and hundreds when they develop their own strategies for solving problems where regrouping is necessary. They might use the make-ten strategy ( $37 + 8 = 40 + 5 = 45$ , add 3 to 37 then 5) or ( $62 - 9 = 60 - 7 = 53$ , take off 2 to get 60, then 7 more) because no ones are exchanged for a ten or a ten for ones. This task presents an opportunity for students to create a picture using base ten blocks (using tens and hundreds only) and then figure out how they want to decompose that amount into different numbers to add together to figure out the total for their picture.

### **ESSENTIAL QUESTIONS**

- Why should we understand place value?
- What are the different ways we can show or make (represent) a number?
- What is the difference between place and value?

### **MATERIALS**

- Centimeter graph paper or base-10 patterns

### **GROUPING**

Large Group, Individual

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

#### **Part I**

This task provides an interesting way for students to work with groups of hundreds, tens, and ones.

1. Provide students with centimeter graph paper. Have students trace the hundreds blocks and tens strips on the graph paper first to be sure they are marking the correct amount of squares. Encourage the children to label each part with its value. Have them cut out the pieces so they can use them to make the animal picture below.
2. Display the animal picture below on the overhead. Have the students recreate it with their pieces and then determine the number of hundreds, tens, and ones used to make the picture. Next, have them come up with a total for the “value” of the animal (how much it is worth). Allow students to work with a partner if necessary. Make sure to discuss the different strategies students use to determine the total value of the animal.
3. When students are sharing their thinking, have them come up and circle the parts they are adding together to show their classmates how they are organizing the numbers

in order to reach a total. Ask if any other students had the same total, and if so, have them stand and share their picture at the same time so you can compare/contrast the work.

4. Once the students are comfortable with how to determine the value of a picture, have them take the pieces they made and reorganize/combine them to create their own picture. **Tell them that the value of their picture must be greater than 200 but less than 1,000!** Take time to allow students to share their pictures. Encourage them to be creative!

5. Collect the pictures at the end of the lesson to use for Part II

### **Part II**

Hand each student a picture (not their own) from yesterday and have them determine what the total amount should be for the picture. You could post a number line on the wall or board between 200 and 900, and have students attach the picture where it would appear between two hundreds. You could also have students organize them by value, least to greatest or greatest to least. Save the pictures for work mentioned in Part III.

### **Part III**

Choose a random picture from the pile of students' pictures and project it so all can see. Use the Addition and Subtraction Instruction cards from previous activity (Shake Rattle and Roll) and draw out one card (-10, +1-, -100, +100) Have students mentally calculate the new total.

### **FORMATIVE ASSESSMENT QUESTIONS**

- What strategy did you use for figuring out how much a picture was worth?
- Could you have created other combinations of numbers to come up with the same total?
- Was it easier to mentally add or subtract? Why?

### **DIFFERENTIATION**

#### **Extension**

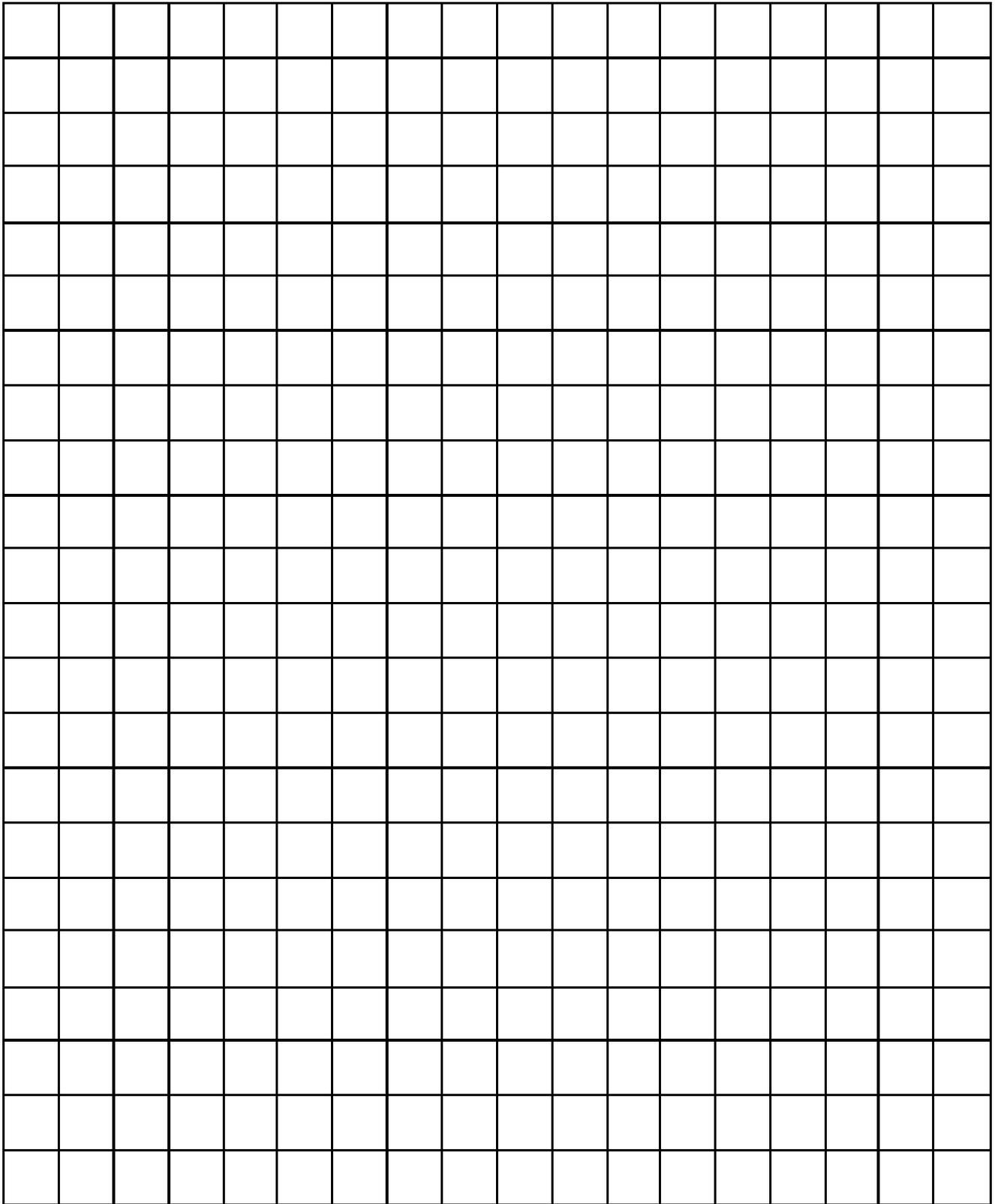
- Have the students attribute money amounts to the pieces and then they can determine how much their picture costs.

#### **Intervention**

- Provide sample pictures that the student can recreate with real base ten blocks. The picture can then be labeled with the correct values and created with centimeter paper.

### **[Intervention Table](#)**

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Name: \_\_\_\_\_ Date: \_\_\_\_\_

## Base-Ten Picture Recording Sheet

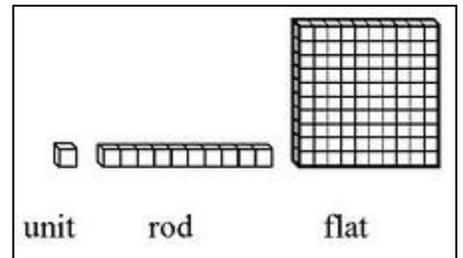
I made a \_\_\_\_\_.  
(Name animal)

My design was built with \_\_\_\_\_ base ten blocks.  
(Write number)

I used \_\_\_\_\_ flats, \_\_\_\_\_ rods/longs, and \_\_\_\_\_ units.

My number has \_\_\_\_\_ digits.

Here is my number in expanded form.



\_\_\_\_\_  
(Hundreds + tens + ones)

I can represent and show numbers using different models, pictures, or number sentences.



My work shows I understand the value of each digit in my number.



What is the difference between place and value?

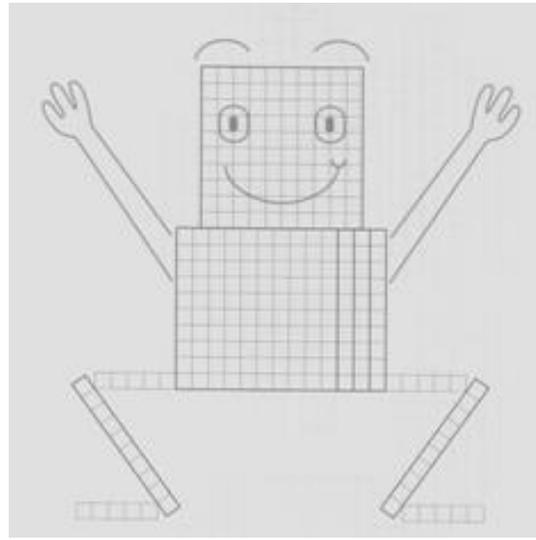
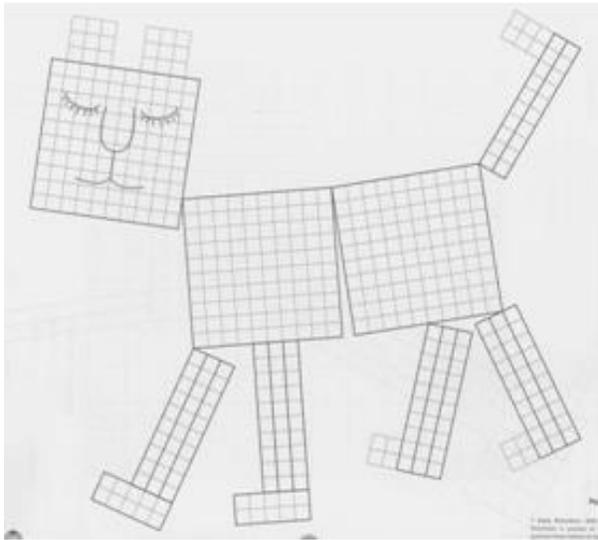
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## **CONSTRUCTING TASK: Money to Spend**

[Back to Task Table](#)

Approximately 1 Day

In this task, the students will strengthen their mental math skills as they add multiple dollar amounts.



### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**  
*Students make sense of how to form dollar combinations equaling exactly \$30.*
- 6. Attend to precision.**
- 8. Look for and express regularity in repeated reasoning.**  
*Students look for shortcuts as they mentally add multiple dollar combinations.*

### **BACKGROUND KNOWLEDGE**

(Information quoted from Van de Walle and Lovin, Teaching Student-Centered Mathematics: Grades K-3, page 150)

In 2<sup>nd</sup> grade students will be working with money for the first time. Limit problems to the use of just dollar and cents symbols. There should be no decimal notation for money at this point. Students need to understand the relationship between quantity and value and be able to relate money amounts to whole-number place value and base-ten understandings

**“The recognition of coins is not a mathematical skill at all. The names of our coins are conventions of our social system. Students learn these names the same way that they learn the names of any physical objects in their daily environment- through exposure and repetition.” For additional information please see the Grade Level Overview.**

The value of each coin- a nickel is worth 5¢, a dime is worth 10¢, and so on- is also a convention that students must simply be told. However, a student can say, “A dime is worth 10 cents” and not really understand what that means. For these values to make sense, students have to have an understanding of 5, 10, and 25. More than that, they need to be able to think of these quantities without seeing countable objects. Nowhere else do we say, “This is five,” while pointing to a single item. A child whose number concepts remain tied to counts of objects is not going to be

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able to understand the values of coins. The social concept of having an *equivalent worth* or *value* is nontrivial for the young child. If your students seem to have good concepts of small numbers but still have difficulties with the values of single coins, then your lessons should focus on purchase power- a dime can *buy the same thing* that 10 pennies can buy.”

### **ESSENTIAL QUESTIONS**

- Why is it important to be able to count amounts of money?
- What are the different ways we can represent an amount of money?
- How does mental math help us calculate more quickly and develop an internal sense of numbers?

### **MATERIALS**

- Recording sheet with story about Mia
- Play money for intervention purposes

### **GROUPING**

Partners /Individual

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

Explain to students the following scenario:

Mia has \$30 to spend on toys that she will donate to a local charity for needy children. This is the only store she is going to, and she wants to spend all of her money there. What combinations of toys can she buy in order to spend all the tokens?

Together as a class, come up with one solution and record the solution on chart paper. While the students are discussing the solution, encourage additional strategies by asking the students to explain how they came to their answers. Then have the students come up with as many possible combinations as they can to ensure that Mia uses all of her money.

Come back together as a whole class and share combinations. Record what students share. When a combination is repeated (inevitably, this will happen) ask if there is a better way to record the information to keep track of all possible combinations (chart or table).

### **FORMATIVE ASSESSMENT QUESTIONS**

- How is working with numbers expressed as money amounts similar to working with other numbers that are not expressed as money amounts?
- What strategies were you using to mentally calculate, (keep track of), the number of tokens spent?
- How did you figure out multiple possibilities of combinations for spending Mia’s money?

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- How did you record your combinations to keep up with your work?
- Could someone else look at your work and understand how you thought about and solved this problem?

**DIFFERENTIATION**

**Extension**

- Allow Mia to earn/spend more money and encourage students to use a chart, table or some other organizer to record every possible combination.
- Students may not purchase more than 2 of any one item.

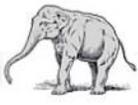
**Intervention**

- Some students may still be having difficulty counting with money. Allow these students opportunities to use actual dollar bills or copies of them (play money), paper and pencil, as well as a number line or number chart to keep track of their totals.

[Intervention Table](#)

Name: \_\_\_\_\_ Date \_\_\_\_\_

**Amusement Center Store**

				
Yo Yo \$1	Doll \$2	Duckie \$1	Tractor \$5	Airplane \$6
				
Ball \$2	Racecar \$7	Dog \$4	Jump Rope \$1	Car \$5
				
Elephant \$3	Bear \$4	Xylophone \$7	Tank \$6	Checkers \$4
				
Boat \$8	Train \$6	Jacks \$2	Truck \$6	

Mia has \$30 to spend on toys that she will donate to a local charity for needy children. This is the only store she is going to and she wants to spend all of her money there. What combinations of toys can she buy in order to spend all of her money?

Show how you found your solutions.

**PRACTICE TASK: Desktop Basketball- Money Version**

[Back to Task Table](#)

Approximately 1 Day

In this task, the students will use mental math strategies while adding or subtracting money in a game of basketball.



**STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

**MGSE2.MD.10** Draw a picture graph and a bar graph (with single-unit scale) to represent a data set with up to four categories. Solve simple put-together, take-apart, and compare problems<sup>3</sup> using information presented in a bar graph.

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 6. Attend to precision.**
- 7. Look for and make use of structure.**  
*Students look for patterns as they add and subtract money amounts (making tens and doubles).*
- 8. Look for and express regularity in repeated reasoning.**  
*Students look for shortcuts to mentally add and subtract money amounts.*

**BACKGROUND KNOWLEDGE**

Part one of this task calls for students to work with categorical data by organizing, representing and interpreting data. Students collect their data by using tallies or another way of keeping track. Students organize their data by totaling each category in a chart or table.

A similar task was done in 1<sup>st</sup> grade, however, this time students will be attributing a money value to the paper slips they are tossing in Part two.

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Students need to build on their flexible strategies for adding within 20 in first grade to fluently add and subtract within 100 in second grade. Students gain computational fluency, using efficient and accurate methods for computing, as they come to understand the role and meaning of arithmetic operations in number systems. An efficient strategy is one that can be done mentally and quickly. Frequent use of games like this provides the necessary experience students need in order to develop efficient mental processes, which lead to fluency and understanding the relationship between quantity and value. Since students have not been introduced to decimals, problems should either have only dollars or only cents.

### **ESSENTIAL QUESTIONS**

- Why do I need to ask questions and collect data?
- How can I use data to help me understand the answers to the questions posed?
- What type of graph should I use to display the data?
- How can I keep track of my total amount?
- Why is it important to be able to count amounts of money?
- How does mental math help us calculate more quickly and develop an internal sense of numbers?
- In what type of situations do we add?

### **MATERIALS**

- Plastic cup
- Paper wad for a “basketball”
- Paper and pencil for recording information and drawing a graph

### **GROUPING**

Partner or individual

### **NUMBER TALK**

At this point it would be an opportunity to discuss “doubling” and “halves” of numbers. Using a Rekenrek Arithmetic Rack, display the same number of beads on the top and bottom. As students make the connection with doubles, it will naturally lend itself to discussion about halves. (Refer to Catherine Twomey Fosnot and Willem Uittenbogaard, *Minilessons for Early Addition and Subtraction: A Yearlong Resource*, 2007, pgs. 34 & 35.)

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

**Comment-**Prior to the activity, each pair of students should have a plastic cup taped to one edge of a desk/table, a  $\frac{1}{4}$  sheet of paper to wad up for a “basketball”, and paper/pencil for recording and drawing a graph of the data.

**Part I (Review of Game from 1<sup>st</sup> grade)**

Tape the cup to the edge of the desk. Students will take turns gently tossing the crumpled paper into the cup taped to the desk. Allow each student ten tosses before switching players. The student who is not tossing the basketball will be the scorekeeper and will use tally marks to record baskets made. They can create their own chart to keep track of the tallies. After each child has had a chance to make ten tosses, the students will use their table of basketball toss tally marks to create a graph. Since they have had many experiences with graphs prior to this experience, **students can choose the type of graph they want to make (picture graph or bar graph)**. Upon completion of their individual graphs, have students compare their results. If a student is working independently, then the activity could be repeated twice. The student would then have two different sets of tally marks to graph and compare.

Ask students to pose a question which can be answered using the data from their graph. Then have them swap graphs and questions with a neighbor to see if they can answer each other's questions based on the information provided in their graph.

Question examples:

- What type of game data is represented in this graph?
- How many baskets did you make?
- How many baskets did you miss?
- How many throws in all did you shoot?
- Do you think you will have the same results if you do it again? Why?
- How will this experience help you to predict what might happen if you were to do this experiment again?

**Part II (four rounds- in each round the pieces of paper have a different value)**

Now each student will have ten pieces of paper to throw and each piece will be worth a particular amount (see rounds 1-4 below). For each round, students need to keep a running **MENTAL** total of how much they earned and how much they lost. They “earn” money by making the basket, they “lose money” by missing the basket. They will announce what they mentally calculated to be their total earned and lost when their round is up, and their partner will check. If they are correct, they double their score. If they are incorrect, they lose half their score. The winner is the partner with the most money at the end of each round.

**Round One-**

Each piece of paper is worth 10 cents

**Round Two-**

Each piece of paper is worth 50 cents

**Round three-**

Each piece of paper is worth 10 dollars

**\*\*Round Four-**

**(This round should only be played when students are ready, because the total may exceed 1,000. Consider your students' ability before playing this round. Adapt the number if necessary.)**

Each piece of paper is worth 100 dollars

### **FORMATIVE ASSESSMENT QUESTIONS**

- How did you keep track of the total baskets made when you first played the game?
- What type of graph did you decide to make?
- Why is it important to keep a record of some kind when you are doing an experiment?
- Were you able to answer your partner's graph question? Were they able to answer yours? How could you change your question or graph so that they are more useful?
- How much money did you make in each round when we changed the game?
- How would the amount change if you earned a quarter for each shot? How about 50 cents for each shot?
- How many baskets do you need to make to earn \$5?
- If you earned a dollar for each shot made, but lost 50 cents for each shot missed, what would your total be?
- Let's say you are at a carnival playing this game. It costs \$1.00 to take ten shots. For each shot you make, you will get back 25 cents. Think about how you did in the game in class. Based on this, would you play the game at the carnival? Why or why not?

### **DIFFERENTIATION**

#### **Extension**

- Increase the number of tosses to twenty and have the students create their own graph of tosses made and tosses missed. Have students compare this to their first graph of ten tosses. Do they notice any significant differences? Ask students what they think would happen if they made thirty tosses. Forty tosses. How would their graph change?
- Write different coin amounts OR dollar amounts on each of the ten slips of paper. After the ten tosses students add up the total earned and the total lost. Compare and find the difference between the two amounts.

#### **Intervention**

- Give students a pre-made bar graph or pictograph on which they may color in the appropriate number of blocks or pictures for each successful basket.

#### **[Intervention Table](#)**

**PERFORMANCE TASK: What I Have and What I Need**

[Back to Task Table](#)

Approximately 1-2 Days

In this task, students will continue to develop their understanding of and facility with money by counting with pennies, nickels, dimes, and quarters. They will need to be able to represent a money amount with words or digits and the cent sign.

**STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 3. Construct viable arguments and critique the reasoning of others.**  
*Students determine and defend combinations of coins to “count-on” from a given amount to a greater amount.*
- 6. Attend to precision.**
- 7. Look for and make use of structure.**  
*Students use mental math strategies based on patterns to make combinations of coins.*

**BACKGROUND KNOWLEDGE**

(Information quoted from Van de Walle and Lovin, Teaching Student-Centered Mathematics: Grades K-3, page 150)

In 2<sup>nd</sup> grade students will be working with money for the first time. Limit problems to the use of just dollar and cents symbols. There should be no decimal notation for money at this point. Students need to understand the relationship between quantity and value and be able to relate money amounts to whole-number place value and base-ten understandings

**“The recognition of coins is not a mathematical skill at all. The names of our coins are conventions of our social system. Students learn these names the same way that they learn the names of any physical objects in their daily environment- through exposure and repetition.**

The value of each coin- a nickel is worth 5¢, a dime is worth 10¢, and so on- is also a convention that students must simply be told. However, a student can say, “A dime is worth 10 cents” and not really understand what that means. For these values to make sense, students have to have an understanding of 5, 10, and 25. More than that, they need to be able to think of these quantities

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without seeing countable objects. Nowhere else do we say, “This is five,” while pointing to a single item. A child whose number concepts remain tied to counts of objects is not going to be able to understand the values of coins. The social concept of having an *equivalent worth* or *value* is nontrivial for the young child. If your students seem to have good concepts of small numbers but still have difficulties with the values of single coins, then your lessons should focus on purchase power- a dime can *buy the same thing* that 10 pennies can buy.”

### **ESSENTIAL QUESTIONS**

- Why is it important to be able to count amounts of money?
- What are the different ways we can represent an amount of money?
- How can I keep track of an amount?
- How do we know if we have enough money to buy something?

### **MATERIALS**

- Suggested poem: “Smart” by Shel Silverstein
- Coins
- Coin mats
- “What I Have and What I Need” recording chart

### **GROUPING**

Individual

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

#### **Part I**

Begin by reading the poem “Smart” by Shel Silverstein.  
Discuss what happens to the amount of money as it is exchanged.

#### **Part II**

Give each student a copy of the chart “What I Have and What I Need”. Have students complete the chart individually. Coins and coin mats should be available to assist students in making these decisions. After they find a coin combination for each problem, have students compare their combination with a partner. After the partners have shared, allow the class to discuss the different combinations of coins that were used, whether they are correct, and how many different combinations there were. Encourage students to think of a way of recording the combinations so that you can be sure that you discovered them all.

**FORMATIVE ASSESSMENT QUESTIONS**

- How do you count the different amounts of money?
- What are some different ways we represented the same amount of money?
- How did you keep track of how much more money we needed?
- How did you know if you have enough money to buy something?
- What strategy did you use to figure out how much more you needed to buy the item?

**DIFFERENTIATION**

**Extension**

- Have students write some story problems involving buying something and having to count out the right change.

**Intervention**

- Have students make amounts using only pennies and dimes and relate this to place value.
- Allow students to use fake money to manipulate.

[Intervention Table](#)

# "Smart"

By: Shel Silverstein

My dad gave me one dollar bill  
'Cause I'm his smartest son,  
And I swapped it for two shiny quarters  
'Cause two is more than one!

And then I took the quarters  
And traded them to Lou  
For three dimes, I guess he don't know  
that three is more than two!

Just then, along came old blind Bates  
And just 'cause he can't see  
He gave me four nickels for my three dimes,  
And four is more than three!

And I took the nickels to Hiram Coombs  
Down at the seed-feed store,  
and the fool gave me five pennies for them,  
And five is more than four!

And then I went and showed my dad,  
and he got red in the cheeks  
And closed his eyes and shook his head-  
Too proud of me to speak!

Name: \_\_\_\_\_ Date \_\_\_\_\_

## What I Have and What I Need



What I have	What I need				To Make a Total of...
	Penny	Nickel	Dime	Quarter	
23 cents					45 cents
58 cents					93 cents
15 cents					87 cents
6 cents					60 cents
50 cents					103 cents

**PERFORMANCE TASK: Shopping for School Supplies** [Back to Task Table](#)

Approximately 1 Day

In this task, the students will use mental math strategies to determine if they have enough money to purchase school supplies. If not, the students will determine how much more money is needed.



**STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**  
*Students determine if they have enough money to purchase school supplies. If there is insufficient money to make their purchases, students continue to work the problem to determine how much more money is needed.*
- 5. Use appropriate tools strategically.**  
*Students use estimation to determine if they have enough money to purchase school supplies.*
- 6. Attend to precision.**
- 7. Look for and make use of structure.**  
*Students use mental math strategies based on patterns to add money amounts.*

**BACKGROUND KNOWLEDGE**

Students will continue to develop their understanding of, and facility with, addition and subtraction, as well as continue to develop their understanding of, and skill/ease with, money. Students will work with dollar amounts to determine if they have enough money to buy certain items listed. The money amounts will need to be represented using the dollar sign. Students will also have the opportunity to practice fluency with mentally adding two numbers together to generate an estimated total before finding the actual total. Formal discussions about estimating numbers does not need to take place, however discussions about what ten a given number lives closest to on the number line is something that should be continually discussed when solving equations. This allows students to determine whether or not final answers are reasonable. It also helps students learn how to calculate more quickly and develop an internal sense of number.

## **ESSENTIAL QUESTIONS**

- Why is it important to be able to count amounts of money?
- What are the different ways we can represent an amount of money?
- How do we know if we have enough money to buy something?
- In what type of situations do we add?
- In what type of situations do we subtract?
- What estimation and mental math strategies can I use to help solve real world problems?
- What is an effective way to estimate numbers?

## **MATERIALS**

- *Bunny Money* by Rosemary Wells, or similar book about buying items
- “Shopping For School Supplies” chart or transparency

## **GROUPING**

Partners

## **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

Read the book, *Bunny Money*, by Rosemary Wells, or a similar book about going to the store. Ask the students if any of them helped shop for their school supplies this year. Tell them they are going to help Mary Beth’s mother figure out if she has enough money to purchase different items.

This activity should be done **orally** with partners. Without using paper and pencil, have the pairs talk to each other about how they would estimate if they have enough money to purchase the combinations of school supplies. Listen for the use of **benchmarks** such as five and ten. Be sure to have those students share to introduce the idea to the class. To encourage student responses, it may be necessary for the teacher to “model” the thinking he or she wants with an example problem.

A sample student response for the first one would be:

*“I know that 15 plus 10 equals 25 and that’s all Beth has. But the prices are actually 15 and 11, so she won’t have enough, because 11 is one more than 10.”*

### ***Special note:***

***\*The money amounts and items may be adjusted to fit your students’ understanding of money.***

***\*Some students may bring up the issue of tax being added to the price when they go to the store. You may say that since we are working with estimations and not actual amounts, they do not need to worry about tax at this time, or that it is a tax-free weekend.***

## **FORMATIVE ASSESSMENT QUESTIONS**

- Why is it important to be able to count amounts of money?
- What are some different ways we can represent the same amount of money?
- When did you need to add during this activity? When did you need to subtract? How did you decide which operation to do?
- How did you know if you had enough money to buy the item?
- What estimation and mental math strategies did you use to help solve the problems?
- What does it mean to estimate numbers?

## **DIFFERENTIATION**

### **Extension**

- Challenge students to decide if Mary Beth has enough money to buy three different items and how much more money she might need, if any.
- Have students mentally add how much Mary Beth would need if she wanted to buy all of the school supplies.

### **Intervention**

- Provide a 99's chart to help students find the nearest benchmark numbers.
- Provide fake dollars to manipulate.

### [Intervention Table](#)

Name: \_\_\_\_\_ Date \_\_\_\_\_

### Shopping for School Supplies

- Before the first day of school, Mary Beth went to the store to buy some school supplies.
- Estimate (without paper and pencil) the price for each pair of school supplies.
- Determine if Mary Beth had enough money to buy the items.

<b>Pencils</b>	<b>Binder</b>	<b>Crayons</b>	<b>Ruler</b>	<b>Paper</b>	<b>Scissors</b>	<b>Glue</b>	<b>Pens</b>
<b>\$4</b>	<b>\$20</b>	<b>\$5</b>	<b>\$11</b>	<b>\$13</b>	<b>\$15</b>	<b>\$15</b>	<b>\$10</b>

<i>Amount Mary Beth has to spend</i>	<i>Items Purchased</i>	<i>Estimated Cost</i>	<i>Does she have enough money? Yes/No If No, how much more does she need?</i>
\$25	Glue and ruler		
\$10	Pens and crayons		
\$15	Scissors and pencils		
\$30	Paper and binder		
\$25	Pens and binder		

What strategy did you use to estimate the total cost of the items?

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**CONSTRUCTING TASK: Take 100 Revisited**

[Back to Task Table](#)

Approximately 1 Day

In this task, the students will develop mental math strategies using up to 4 two-digit numbers, totaling 100, in a number card game.

**STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 4. Model with mathematics.**  
*Students use two-digit number cards to make combinations of 100.*
- 6. Attend to precision.**
- 7. Look for and make use of structure.**  
*Students look for patterns in numbers to mentally add numbers to 100.*

**BACKGROUND KNOWLEDGE**

This game is an extension of Take 100 found in Unit 2. In Unit 2, Take 100 is played with the cards visible at all times. The students flip over two cards and attempt to make pairs of 100. Whoever is the first one to yell “One Hundred!” gets to pick up the pair. Take 100 Revisited is played a little differently. This version is played with each child starting with 5 cards. On each turn, he/she can choose to pick up a card from the discard pile or pick up a card from the deck. The goal is still to make 100, but this time the student is working more independently. The first student to use all of their cards by creating sets of 100 wins the game.

## **ESSENTIAL QUESTIONS**

- How can I learn to quickly calculate sums in my head?
- What strategies will help me add multiple numbers quickly and accurately?

## **MATERIALS**

- A deck of cards containing two of each of the following numbers: 10, 20, 30, 40, 50, 60, 70, 80, 90, 5, 95, 15, 85, 25, 75, 35, 65, 45, 55. (Copy 2 game cards sheets for each deck of cards)
- “Take 100 Game, Student Directions” Student Sheet

## **GROUPING**

Partner/Small Group

## **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

This is a card game during which students must be the first to spot combinations of one hundred.

### **Task Directions**

Students follow the directions below from the “Take 100 Game, Student Directions” Student Sheet.

Number of Players: 2

Materials: Deck of 40 Cards

Directions:

1. Your goal in this game is to make sets of one hundred.
2. Shuffle the cards and deal five cards to each player. Lay all unused cards face down in a pile on the desk. Take off the top card and turn it face-up, creating a new pile. This top card will begin the discard pile.
3. Player 1 can choose to take a card from the deck or to take the top card from the discard pile. They then have to choose one card to place on the discard pile. If the player can make a set of 100, using up to 4 cards, they put the cards face up in front of them, and replace the cards from the draw deck or discard pile, so their hand continues to contain 5 cards.
4. Player 2 can choose to take a card from the discard pile or take a card from the deck. Then they have to choose one card to place on the discard pile. If the player can make a set of 100, they put the cards face up in front of them and draw 2 cards to replace them.
5. If the draw deck runs out of cards, mix up the discard pile and place face down create a new draw deck.
6. This play continues until one player is out of cards, and there are no cards left to draw.
7. The winner is the student who has the most pairs of cards adding to 100.

As students play, ask them to record their pairs of 100 as an addition number sentence. This gives students an opportunity to focus on the pairs that make 100 and provides a record of the game.

**Variation:** Make multiple copies of cards to increase length of game.

### **FORMATIVE ASSESSMENT QUESTIONS**

- What do you know about pairs of numbers that add to 100?
- What strategies are you using? How are they working for you?
- What can you do to find the answer quicker than your partner?
- Does  $63 + 47$  equal 100? How do you know?

### **DIFFERENTIATION**

#### **Extension**

- Ask students to make cards to add to the deck of cards. Provide blank card outlines and allow students to either create their own pairs of 100 cards to the deck or to create their own deck of cards with which to play the game.
- Play the version Take 1,000- same rules just larger numbers and a lot more combinations.

#### **Intervention**

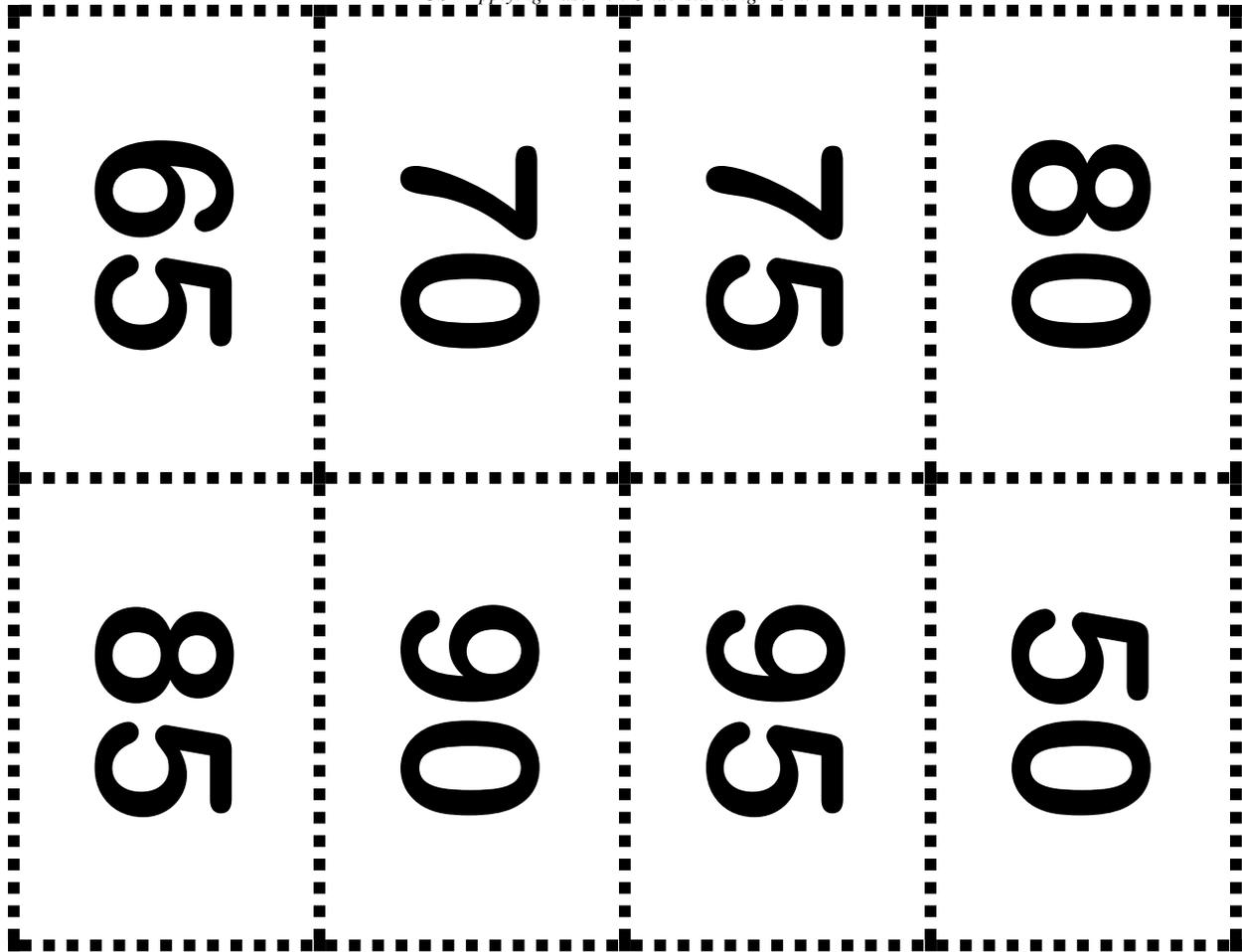
- If two struggling students are going to play this game together, it may help to model the game during small group instruction first. While modeling the game, use the think-aloud strategy to model ways students can think about pairs to one hundred.
- Play a version of this game but call it “Pairs to 10” or a “Pairs to 20” game using two of each of the following cards: 1, 19, 2, 18, 3, 17, 4, 16, 5, 15, 6, 14, 7, 13, 8, 12, 9, 11, 10, 10.

[Intervention Table](#)

### **TECHNOLOGY**

<http://letsplaymath.wordpress.com/tag/mental-math/> Offers ideas for other games and links to additional math sites.

20	15	10	50
40	35	30	25
60	55	50	45



## **SCAFFOLDING TASK: Multi-digit Addition Strategies Revisited**

[Back to Task Table](#)

Approximately 3 Days

In this task, the students will apply their developed problem-solving strategies as they use and share solutions for addition number stories.



### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.OA.1** Use addition and subtraction within 100 to solve one and two step word problems by using drawings and equations with a symbol for the unknown number to represent the problem. Problems include contexts that involve adding to, taking from, putting together/taking apart (part/part/whole) and comparing, with unknowns in all positions.

**MGSE2.OA.2** Fluently add and subtract within 20 using mental strategies. By end of Grade 2, know from memory all sums of two one-digit numbers.

**MGSE2.NBT.5** Fluently add and subtract within 100 using strategies based on place value, properties of operations, and/or the relationship between addition and subtraction.

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 3. Construct viable arguments and critique the reasoning of others.**  
*Students explain their problem-solving strategies as well as listen and critique the strategies of their classmates.*
- 6. Attend to precision.**

### **BACKGROUND KNOWLEDGE**

Students should have had prior experiences and/or instruction with addition and subtraction of two-digit numbers without regrouping. Students should also have experience solving various story problems with the use of manipulatives. Students can use place value blocks, number charts, create drawings of place value blocks, or number lines to support their work.

Some students may draw a picture, solve the problem with manipulatives, or use benchmark numbers. All of these strategies demonstrate a solid foundation of number sense. If you notice students using the traditional algorithm for regrouping, it is informative and helpful to ask them to explain their reasoning when using this method. The idea that numbers can be “carried” is not a natural progression when numbers are combined. Algorithms are a short cut method that makes recording numbers more convenient and efficient. Students need to explore many different strategies for combining numbers before they can understand the idea of an amount being “carried” from one place value position to another. Moving to the standard algorithm too early will often prevent students from continuing to make sense of the numbers that work within a

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given situation. Asking students to explain what happens in the algorithm (should they use it) allows you to assess their understanding of the process.

### **ESSENTIAL QUESTIONS**

- How can we solve addition problems with and without regrouping?
- Can we change the order of numbers when we add (or subtract)? Why or why not?
- How can we solve problems mentally?
- How can strategies help us when adding and subtracting with regrouping?

### **MATERIALS**

- Various manipulatives (counters, base-ten blocks, unifix cubes)
- Chart paper for class recording sheets

### **GROUPING**

Large group, Partners, Individual, Small group

### **TASK DESCRIPTION, DEVELOPMENT, AND DISCUSSION**

#### **Part I**

Introduce task with this story problem:

*Mrs. Jones and Mrs. Smith are going to plan a Popsicle party for their classes. Mrs. Jones has 28 students in her class and Mrs. Smith has 25 students in her class. They plan on getting one Popsicle for each student in their classes. How many popsicles do Mrs. Jones and Mrs. Smith need to buy?*

Have several students retell the story problem to you and discuss what is happening in the problem to ensure their understanding.

#### **Part II**

Split students into pairs and give each student a half sheet of chart paper to use in solving the problem. Also, have various manipulatives available for students to use as they work to solve the problem. Walk around and observe students as they are problem solving. Ask questions such as:

- What are you trying to find out?
- How many students are in Mrs. Jones's class?
- How many students are in Mrs. Smith's class?
- Can you explain the strategies you are using to solve this problem?
- Are there other ways you could solve the problem?
- Is there a way you can check your answer?

As you are walking around, find students who are using a variety of strategies.

### **Part III**

Let several students share their different strategies and answers to the problems. Allow the students to call on their peers to ask questions or make comments about their strategy and the answer that was found. After students have shared various strategies, spend some additional time discussing the different strategies students have used. Some students may have broken the numbers into smaller pieces to simplify the addition problem.

- For example, in  $28 + 25$  you can begin by pulling out the tens and add  $20 + 20 = 40$ . You then have  $8 + 5$ . You can then break up the 5 into 3 and 2. Next, add  $8 + 2$  to get 10. You will then have 3 more to add.  $20 + 20 + 10 + 3 = 53$ .
- Other students may have used benchmark numbers to help add. For example,  $28 + 25$  could have been solved by keeping the 28 and taking 2 from 25. You can have 30 and 23. You can then add  $30 + 23$  to get 53.
- Another Strategy may be to add 5 to 25 to make a group of 30 then add 20 to 30 by grouping 20 more, equally 50 then add 3.

This may sound convoluted to adults, but students who have strong number sense will tend to think in this way. When we teach **just** the algorithm, or teach the algorithm too early, we discourage the students from using a more natural strategy. When they are allowed to develop strategies that make sense to them, they are developing better number sense of addition and subtraction!

Create a list of the various strategies students used when solving addition problems (anchor chart). Some students may have also mention the traditional algorithm for addition with regrouping. It is more beneficial to encourage students to utilize the various other strategies at this time; then move towards the algorithm when they can demonstrate true number sense.

### **Comments**

If no student describes using the number line or number chart as a strategy, then this is a good time to bring up this tool for combining amounts. Students should be able to use the number line or number chart as a tool for adding numbers. For example, students could find 28 on the number line or number chart, and count on 25, or vice versa. Use of models in this way elicits a natural discussion about the commutative property of addition.

### **Part IV**

Give students this problem:

*Amy had a collection of 46 stamps. Her brother Chris had a stamp collection with 35 stamps. If they combine their stamps, how many stamps will they have?*

Allow students to attempt to solve this problem on their own. As students work, walk around asking questions about the students' strategy use. Look to see if students are using the strategies mentioned above. Students should be prepared to write and share their thinking with the class. After students have completed solving the problem, allow students to take turns sharing their strategy with people at their table or other small groups of students. The task should be closed with the teacher selecting students to highlight various strategies used in the classroom and again referring to the number line or number chart if it is not one of the strategies presented by students.

## **FORMATIVE ASSESSMENT QUESTIONS**

- Describe how you solved the problem.
- Do you think you could solve the problem another way?
- How is your strategy for solving the problem the same as your neighbor's? How is it different?
- How do you think we should record our work so that someone else could understand what we did?

## **DIFFERENTIATION**

### **Extension**

- Give students this problem to supplement problem 1: If popsicles come in boxes of 12, how many boxes do Mrs. Jones and Mrs. Smith need to get for their classes of 32 students? If each student gets one Popsicle, how many popsicles will be left over?
- Give students this problem to supplement problem 2: Amy and Chris join their stamps together in a scrap book. If the stamp book can hold up to 100 stamps, will there be enough room for both Chris' and Amy's stamps? How do you know? How many more stamps could Chris and Amy place into the scrap book before it reaches its maximum capacity?
- Write a problem involving either the stamps or the popsicles and ask a partner to solve it. What strategy was used?

### **Intervention**

- Some students may need to work on the second problem with partner groups. They may not be ready to utilize the addition strategies independently in this lesson. They may also need to use manipulatives to physically act out the problem.
- Some students may not be able to communicate their strategy in written form. Those students could be pulled to solve the second problem individually in an interview setting, so they may explain their process as they go.

### [Intervention Table](#)

Name: \_\_\_\_\_ Date: \_\_\_\_\_

## Multi-Digit Addition Strategies Revisited



Amy had a collection of 46 stamps. Her brother Chris had a stamp collection with 35 stamps. If they combine their stamps, how many stamps will they have?

Defend your thinking using mathematical words. \_\_\_\_\_

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## **Formative Assessment Lesson**

[Back to Task Table](#)

**At this point in the unit, you should administer a Formative Assessment Lesson (FAL). The Two- digit Computation/ Mental Math FAL can be found here:**

**[https://education.ky.gov/curriculum/conpro/Math/Documents/2 KDE Number and Operations Base Ten Two Digit Computation Mental Math Grade 2.pdf](https://education.ky.gov/curriculum/conpro/Math/Documents/2_KDE_Number_and_Operations_Base_Ten_Two_Digit_Computation_Mental_Math_Grade_2.pdf)**

### **Formative Assessments Lessons (FALs)**

**What is a Formative Assessment Lesson (FAL)?** The Formative Assessment Lesson is designed to be part of an instructional unit typically implemented approximately two-thirds of the way through the instructional unit. The results of the tasks should then be used to **inform** the instruction that will take place for the remainder of the unit.

Formative Assessment Lessons are intended to support teachers in formative assessment. They both reveal and develop students' understanding of key mathematical ideas and applications. These lessons enable teachers and students to monitor in more detail their progress towards the targets of the standards. They assess students' understanding of important concepts and problem solving performance, and help teachers and their students to work effectively together to move each student's mathematical reasoning forward

**What does a Formative Assessment Lesson look like in action?** Videos of Georgia Teachers implementing FALs can be accessed [HERE](#) and a sample of a FAL lesson may be seen [HERE](#).

**SCAFFOLDING TASK: Subtraction: Modeling with Regrouping Revisited**  
[Back to Task Table](#)

Approximately 4-5 Days

In this task, the students will solve two and three-digit subtraction word problems using place value knowledge.



**STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.OA.1** Use addition and subtraction within 100 to solve one and two step word problems by using drawings and equations with a symbol for the unknown number to represent the problem. Problems include contexts that involve adding to, taking from, putting together/taking apart (part/part/whole) and comparing, with unknowns in all positions.

**MGSE2.OA.2** Fluently add and subtract within 20 using mental strategies. By end of Grade 2, know from memory all sums of two one-digit numbers.

**MGSE2.NBT.5** Fluently add and subtract within 100 using strategies based on place value, properties of operations, and/or the relationship between addition and subtraction.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**
- 2. Reason abstractly and quantitatively.**  
*Students make connections between place, value, and written symbols of numerals.*
- 3. Construct viable arguments and critique the reasoning of others.**  
*Students use and defend their strategies for regrouping with two and three-digit subtraction problems.*
- 6. Attend to precision.**

**BACKGROUND KNOWLEDGE**

Students should have had prior experiences and/or instruction with addition and subtraction of two-digit numbers without regrouping. Students should also have experience regrouping using base-ten blocks.

Success with this task relies on student understandings of collections of objects in sets of ten as well as their understanding of how this relates to place value. Students need to have had multiple experiences with number lines, such as Shake, Rattle, and Roll Revisited. Though this activity was not intended to emphasize the strategy of regrouping to students, it was designed to give students

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the opportunity to use a number line to experience the “action” of addition and the “action” of subtraction and how these two actions are opposite (inverse) operations. If students have had MANY opportunities to play and discuss those two games, THEN they should be ready for further discussion of subtraction and what the concept of “regrouping” means.

### **ESSENTIAL QUESTIONS**

- How can we model and solve subtraction problems with and without regrouping?
- Can we change the order of numbers we subtract? Why or why not?
- How can we solve problems mentally? What strategies help us with this?
- How can mental math strategies, for example estimation and benchmark numbers, help us when adding and subtracting with regrouping?

### **MATERIALS**

- Bags of Base Ten Blocks (at least 8 Hundreds, 20 Tens, and 10 Ones per pair of students)
- Place Value Mat
- “Subtraction with Regrouping” student task sheet

### **GROUPING**

Large group, Partners

### **TASK DESCRIPTION, DEVELOPMENT, AND DISCUSSION**

#### **Part I**

Give student pairs a copy of a place value board and a plastic bag with at least 8 hundreds blocks, 20 ten blocks, and 10 ones.

Have students place two hundred blocks on their place value mat. Each partner takes a turn rolling the dice. The student has to take away the number of ones that matches their roll. Demonstrate for students how to regroup their hundreds for tens, and their tens for ones, in order to subtract ones. Allow students to play until they reach zero ones. While students are playing, walk around and ask questions such as:

- How many (hundreds, tens, ones) do you have? What digits would be in those places? What is their value?
- How will you regroup your hundreds for tens?
- What is your new number? What digit would be in the hundreds place now? What is its value? How do you know?
- What is happening to your number? Why?
- How will you regroup your tens for ones? What digit would now be in the tens place? What would be the value of that digit? How about the ones place?
- Which place would have the largest digit in it right now? Does it also have the greatest value? How do you know?

## **Part II**

Once students have played for a while, present them with this problem:

*Lisa has \$131. She has already spent \$47. How much money does Lisa still have?*

Ask questions such as:

- What are you trying to find out?
- How much money does Lisa have?
- How much money did Lisa already spend?
- What number do you need to represent on your place value mat first? Why?
- How many will you take away/remove? Why?
- What did you notice about the ones? What will you have to do in order to subtract? Can you regroup them in any way? How will this help?
- How many tens do you have now? What digit is now in the tens place? What is the value of that digit?
- How many ones do you have now? What digit is now in the ones place? What is the value of that digit?
- Can you explain the strategies you are using to solve this problem?
- Is there a way you can check your answer?

After students have solved the problem, pull the class together for a class discussion. Allow several students to demonstrate their processes using the smart board or the overhead projector.

## **Part III**

Give students the “Subtraction: Modeling with Regrouping Revisiting” student task sheet to solve in partner pairs using base-ten blocks and the regrouping algorithm. While students are working, circulate and question students:

- What are you trying to find out?
- What number do you need to represent on your place value mat first? Why?
- How many will you take away/remove? Why?
- What did you notice about the ones? What will you have to do in order to subtract? Can you regroup them in any way? How will this help?
- How many tens do you have now? What digit is now in the tens place? What is the value of that digit?
- How many ones do you have now? What digit is now in the ones place? What is the value of that digit?
- Can you explain the strategies you are using to solve this problem?
- Is there a way you can check your answer?

**Part IV**

After students have completed solving the problems, allow students to take turns sharing the strategy they used to solve each problem. Allow other classmates to make observations and ask questions.

**Parts V-VII of the task should be completed the following day.**

**Part V**

Gather students in the class meeting area and present students with this story problem:

*Juanita and Diego are each reading a Magic Treehouse book that has 324 pages. Juanita has read 146 pages and Diego has read 271 pages. How many more pages has Diego read than Juanita?*

Have several students retell the story problem and discuss what is happening in the problem.

**Part VI**

Split students into pairs and give each student a half sheet of chart paper to use in solving the problem. Also, have various manipulatives available for students to use as they work to solve the problem. Walk around and observe students as they are problem solving.

Ask questions such as:

- What are you trying to find out?
- How many pages does the book have? How will we use this information? Is it necessary?
- What are we trying to find out?
- Can you explain the strategies you are using to solve this problem?
- Are there other ways you can solve this problem?
- Is there a way you can check your answer?

As you are walking around, find students who are using a variety of strategies. Some students may draw a picture, solve the problem with manipulatives, use benchmark numbers, or use the traditional algorithm for subtraction with regrouping.

Let several students share their different strategies and answers to the problems.

Allow the students to call on their peers to ask questions or make comments about their strategy, and the answer that was found. After students have shared various strategies, spend some additional time discussing the use of benchmark numbers. Demonstrate for students how the problem could have been solved by breaking the larger numbers into number combinations that are easier to subtract. For example, with  $36-18$ , you can take 2 from 36 and give it to 18 to change the problem to  $34-20$ . You can then subtract 20 from 30 to get 10 and 0 from 4 to get 4. The difference would be 14. Create a list with students of various strategies students can use when solving subtraction problems.

**FORMATIVE ASSESSMENT QUESTIONS**

Refer to questions in each of the sections I-VI

**DIFFERENTIATION**

**Extension**

- Allow students to attempt regrouping problems with four-digits.
- Allow students to make up their own three-digit subtraction story problems. They can solve their own problems or trade with a partner.

**Intervention**

- Some students may need additional support during the problem solving through additional questioning and scaffolding. Having them work with a partner who is very articulate about their mathematical thinking will also help.

[Intervention Table](#)





## **CONSTRUCTING TASK: Perfect 500!**

[Back to Task Table](#)

Approximately 1 Day

In this task, the students will use number cards and addition strategies to create and add multiple two-digit numbers.

### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

**1. Make sense of problems and persevere in solving them.**

**4. Model with mathematics.**

*Students use various number cards to create add two-digit numbers.*

**6. Attend to precision.**

**7. Look for and make use of structure.**

*Students use various mathematical strategies, including mental math, to solve addition problems.*

### **BACKGROUND KNOWLEDGE**

At this point, students should have foundational addition skills clearly in place. Additionally, students should have strategies for larger numbers they are comfortable and efficient with, which include counting up, counting back, making pairs that make ten, making pairs that make 100, and adjusting and compensating strategies.

Students may find this game challenging and it **should not** be introduced too early in the school year. When introducing this game, you may choose to use one of the variations of the game from the list below.

- Play just one round, the students with the sum closest to 100 wins.
- Play just one round as a class. Put the digits on the board and let students create the sum that is closest to 100.

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- Discuss the relationship between pairs of 10 and pairs of 100. (i.e.  $4 + 6 = 10$ , so  $40 + 60 = 100$ )

### **ESSENTIAL QUESTIONS**

- How can I learn to quickly calculate sums in my head?
- What strategies will help me add numbers quickly and accurately?
- What strategies are helpful when estimating sums in the hundreds?

### **MATERIALS**

- Deck of playing cards, (2 copies of the cards provided for a deck of 40 cards)
- “Perfect 500” Directions Sheet
- “Perfect 500” Student Recording Sheet

### **GROUPING**

Partner/Small Group Game

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

This game allows students to look for combinations of numbers that equal 100.

#### **Task Directions**

The goal of the game is to have a sum as close to but not over 500 at the end of five rounds. To begin, each student is dealt 5 cards. The player uses four of the cards to make 2 two-digit numbers, saving the unused card for the next round. Each player will arrange the cards so that the sum of their 2 two-digit numbers is as close as possible to 100. Students record their addition problem on the recording sheet, keeping a running total as they play.

For the second round, each player gets four cards to which they add the unused card from the first round. The students will repeat the same process as the first round, saving one card for the next round. After the end of five rounds, each player will total their sums of the five rounds. The student, who is closest to 500 without going over, after five rounds, is the winner.

### **FORMATIVE ASSESSMENT QUESTIONS**

- What is one way to quickly find the answer? Can you think of another way?
- How do you know you will not go over 500?
- How do you decide which numbers to use? How do you choose which cards to use?

## **DIFFERENTIATION**

### **Extension**

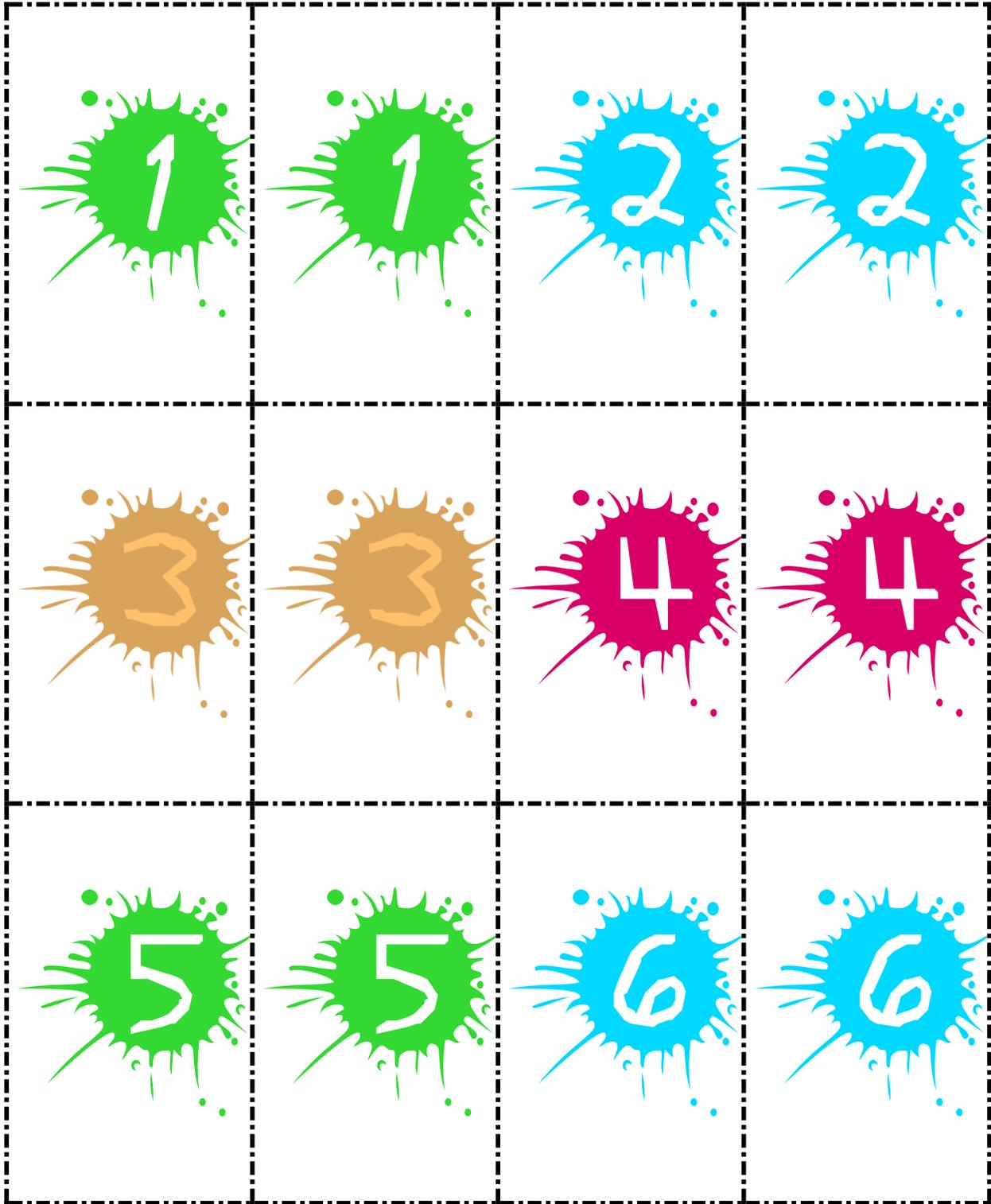
- Students can play “Perfect 5,000” during which each player draws 7 cards and uses 6 to make 2 three-digit numbers whose sum is close to 1,000. After 5 rounds, the player with the sum closest to 5,000, without going over, is the winner.

### **Intervention**

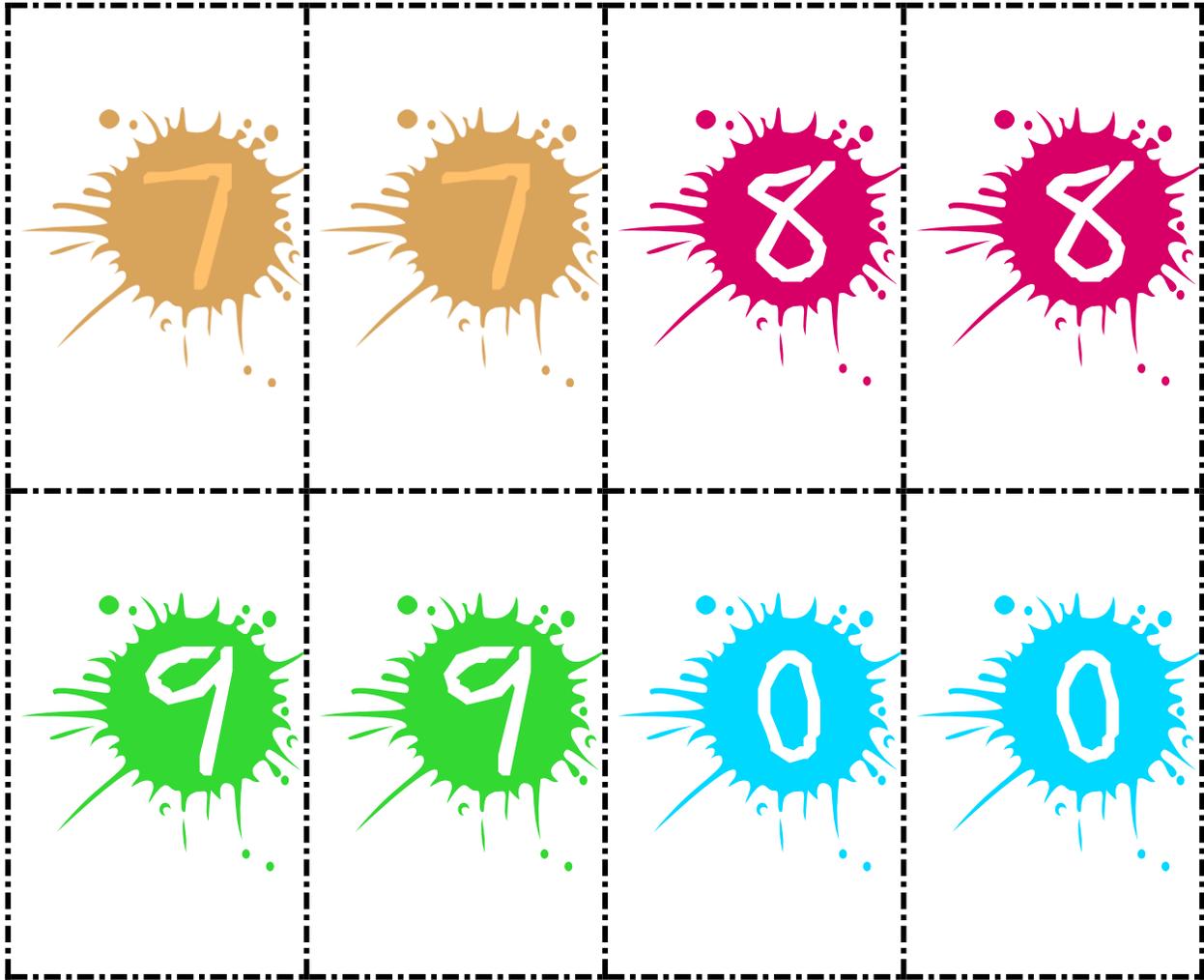
- Plan for students with like abilities to play in partners.
- Students can play “Perfect 100” during which each player draws 4 cards and adds the numbers on three cards to find a sum as close as possible to 20. After 5 rounds, the player with the sum closest to 100, without going over, is the winner.

[Intervention Table](#)

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Name \_\_\_\_\_ Date \_\_\_\_\_

## Perfect 500



Number of Players: 2 or 3

Materials: One deck of 40 cards (4 each of the numbers 0-9)

### Directions:

1. To begin, each student will take 5 cards.
2. Each player will use four of the cards to make 2 two-digit numbers. Arrange the two numbers so they will add up to a sum as close to 100 as possible. You will have one card left over for the next round.
3. Record your addition problem on the recording sheet. You will keep a running total as you play.
4. For the second round, each player will take four more cards. Add the four cards to the one left over card from the first round.
5. Repeat the same steps as the first round, saving one card for the next round.
6. After the end of five rounds, each player will total the sums for the five rounds.

The student who is closest to 500 without going over is the winner.

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## Perfect 500!



Player 1 \_\_\_\_\_ Date \_\_\_\_\_

Round						Running Total
1		+		=		
2		+		=		
3		+		=		
4		+		=		
5		+		=		
	<b>Total</b>					

## Perfect 500!



Player 2 \_\_\_\_\_ Date \_\_\_\_\_

Round						Running Total
1		+		=		
2		+		=		
3		+		=		
4		+		=		
5		+		=		
	<b>Total</b>					

## **CONSTRUCTING TASK: I Have a Story, You Have a Story** [Back to Task Table](#)

Approximately 1 Day

In this task, the students will apply various problem-solving strategies as they create and solve more difficult story problems.



### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.8** Mentally add 10 or 100 to a given number 100–900, and mentally subtract 10 or 100 from a given number 100–900.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

**1. Make sense of problems and persevere in solving them.**

*Students make sense of addition and subtraction story problems with two and three-digit numbers*

**4. Model with mathematics.**

*Students use various strategies to create and solve addition and subtraction story problems.*

**6. Attend to precision.**

**7. Look for and make use of structure.**

*Students use various mathematical strategies, including mental math, to solve addition and subtraction story problems.*

### **BACKGROUND KNOWLEDGE**

Students should be familiar with the concept of solving word problems in math and with seeing symbols for unknowns. For example, some students will have difficulty with  $\_\_\_ + 58 = 75$  simply because they are so accustomed to seeing a number first. Students need to understand that they may subtract the given number from 75 or count up from 58 to 75 to find the value of the missing number. We also want students to recognize that  $\_\_\_ + 58$  yields the same sum as  $58 + \_\_\_$  due to the commutative property of addition.

Students need experiences with many different addition problem types. Refer to the examples in Strategies for Teaching and Learning section of this Unit. Provide students with opportunities to

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solve a variety of problems presented in varying contexts. Then allow students to write similar stories providing experiences in both creating and solving many types of problems. In addition, students should be encouraged to share, explain, and “prove” their strategies for solving multiple types of problems, as well as listen to and “critique” the strategies of their classmates.

### **ESSENTIAL QUESTIONS**

- How can I use what I understand about addition and subtraction when I solve word problems?
- What is a number sentence (number model) and how can I use it to solve word problems?

### **MATERIALS**

- White board, overhead projector, or interactive white board for whole group instruction
- Student Task Sheets for small group or cooperative learning groups

### **GROUPING**

Whole Group/Small Group/Partner

### **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

Students will use a growing “bank” of mathematical strategies to write and solve a variety of story problems.

#### **Comments**

When students make up their own number stories, teachers gain insight into their students’ understanding of the problem-solving process. Teachers can simplify or extend these situations to help students grasp how to solve addition problems with the use of subtraction. This task is also intended to give students practice with using mental math strategies (such as benchmark numbers) when adding and subtracting numbers.

Before students solve the problems in partners or small groups, teachers should model the process of writing and solving similar story problems with the class. For added practice, it is suggested that teachers use a missing addend problem similar to those on the student sheet.

#### **Task Description**

The teacher will give students two story problems for students to solve and the students will write and solve two similar story problems.

Teacher:

*Here is my story:*

*I had 8 dimes in my pocket. I spent 50 cents at a bubble gum machine. When I got home, I found a hole in my pocket and only one dime is left in my pocket. How much money fell through the hole in my pocket? How do you know?*

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Allow students to solve the problem. When students are finished, encourage students to share and explain their strategies. Have students discuss what they liked about the various strategies.

Teacher:

*Now write a similar story about having dimes in your pocket and later finding a hole in your pocket. How much money fell through your pocket? How do you know?*

Invite students to share their problems and explain their solutions.

Teacher:

*Here is another story:*

*I have some dollars in my piggy bank. For my 8<sup>th</sup> birthday, Jacob gave me \$25 and now I have \$85. How much money did I have in my piggy bank to begin with?*

Allow students to solve the problem. When students are finished, encourage students to share and explain their strategies. Have students discuss what they liked about the various strategies.

Ask students to write number sentences and explain their work. Expect number sentences such as  $+ 25 = 85$ . If students do not suggest this sentence to the class, use this as an opportunity to introduce and practice unknowns. Number sentences similar to this often result in the misconception that the answer is always after the = symbol. Teachers should provide numerous opportunities for students solve story problems that require students to work with this type of number sentence.

For example,”

*Write a story for this number sentence:*

$$18 + \square = 61.$$

*What number goes in the box? How do you know?*

### **FORMATIVE ASSESSMENT QUESTIONS**

- How much money was there at the beginning?
- What do you know? What do you need to find out? How can you find it out?
- How does your number sentence relate to the story problem?
- What information will you give in your story? What information needs to be found?
- What strategies did you use to solve the problem?
- How do you know your answer is correct?
- What strategies can you use to check your answer?

## **DIFFERENTIATION**

### **Extension**

- For the first problem on the student sheet, have students determine the value of the money that fell through the pocket.
- Also, the stories students create can be extended in a similar manner.
- Have students create their own subtraction stories where the minuend is unknown. (In the subtraction problem  $5 - 3 = 2$ , 5 is the minuend, 3 is the subtrahend, and 2 is the difference.)

### **Intervention**

- Provide a story frame to assist students in organizing and writing a number story.
- Some students may have difficulty with  $\_\_\_ + 48 = 85$  simply because they are accustomed to seeing a number first, rather than an unknown quantity. They may need additional experiences with this format to understand that subtracting an addend from the sum will give the remaining addend. Students also should understand that  $\_\_\_ + 48$  yields the same sum as  $48 + \_\_\_$  due to the commutative property of addition.

[Intervention Table](#)



Name \_\_\_\_\_ Date \_\_\_\_\_

## I Have a Story, You Have a Story

<p>1. Here is my story: I had 8 dimes in my pocket. I spent 50 cents at a soda machine. When I got home, I found a hole in my pocket and only have one dime left in my pocket.</p> <p>How many dimes fell through the hole in my pocket? How do you know?</p>	<p>2. Now write a similar story about having dimes in your pocket and later finding a hole in your pocket.</p> <p>How many coins fell through the hole in your pocket? How do you know?</p>
<p>3. Here is another story: I had some dollars in my piggy bank. I found \$15. Now I have \$85. Here is a number sentence for my story.</p> $\square + \$15 = \$85$ <p>What number goes in the box? How do you know?</p>	<p>4. Write a story for this number sentence:</p> $18 + \square = 61.$ <p>What number goes in the box? How do you know?</p>

## **CULMINATING TASK: Money in My Pocket**

[Back to Task Table](#)

Approximately 1 Day

In this culminating task students will have the opportunity to demonstrate an understanding of a variety mathematical skills as they complete a choice of three Tic-Tac-Toe activities.



### **STANDARDS FOR MATHEMATICAL CONTENT**

**MGSE2.NBT.6** Add up to four two-digit numbers using strategies based on place value and properties of operations.

**MGSE2.NBT.7** Add and subtract within 1000, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method.

**MGSE2.NBT.9** Explain why addition and subtraction strategies work, using place value and the properties of operations.

**MGSE2.MD.8** Solve word problems involving dollar bills, quarters, dimes, nickels, and pennies, using \$ and ¢ symbols appropriately. *Example: If you have 2 dimes and 3 pennies, how many cents do you have?*

**MGSE2.MD.10** Draw a picture graph and a bar graph (with single-unit scale) to represent a data set with up to four categories. Solve simple put-together, take-apart, and compare problems<sup>4</sup> using information presented in a bar graph.

### **STANDARDS FOR MATHEMATICAL PRACTICE**

Although all standards for mathematical practice should be applied regularly, this task lends itself to the standards below:

- 1. Make sense of problems and persevere in solving them.**  
*Students make select three mathematical activities and persevere in finding solutions.*
- 2. Reason abstractly and quantitatively.**  
*Students reason with concepts of money and specific amounts.*
- 3. Construct viable arguments and critique the reasoning of other.**  
*Students choose mathematical activities, develop solutions, and share/explain results.*
- 4. Model with mathematics.**  
*Students choose various math tools (pictures, objects, graphs, tables, etc.) to solve problems.*
- 5. Use appropriate tools strategically.**  
*Students use various math tools (pictures, objects, graphs, tables, etc.) to solve problems.*
- 6. Attend to precision.**

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*Students use mathematical language to communicate their thinking.*

**7. Look for and make use of structure.**

*Students use various mathematical strategies, including mental math, to solve problems.*

**8. Look for and express regularity in repeated reasoning.**

*Students look for patterns (5s, 10, and 25s) as they solve problems requiring computation.*

## **BACKGROUND KNOWLEDGE**

Based on their choices from the Tic-Tac-Toe chart, students will have the opportunity to demonstrate many of the following concepts:

- continue to develop their understanding of and facility with addition and subtraction
- add up to 4 two-digit numbers
- demonstrate fluency with addition and subtraction
- recognize and use place value to manipulate numbers
- continue to develop their understanding of and facility with money
- count with pennies, nickels, dimes, and dollar bills
- represent a money amount with words or digits and symbols (either cent or dollar signs)
- represent and interpret data in picture and bar graphs

## **ESSENTIAL QUESTIONS**

- Why is it important to be able to count amounts of money?
- What are the different ways we can represent an amount of money?
- How do we know if we have enough money to buy something?

## **MATERIALS**

- Coin stamps
- Coins
- Construction paper
- Manipulatives (for intervention)

## **GROUPING**

Individual

## **TASK DESCRIPTION, DEVELOPMENT AND DISCUSSION**

While this task may serve as a summative assessment, it will also be useful to guide the teaching and learning in your classroom. It is important that all elements of the task be addressed throughout the learning process so students understand what is expected of them.

Display the Coins in My Pocket story on the white board, overhead, or smart board. Read through it with students. Post the sheet somewhere in the room so students can refer back to it as needed

Be sure to allow several days for students to work on this task. It could be placed in a center or station for several days, or it could be presented to the class as a project that they work on independently over a given period of time. However, you decide to use this task, be sure to allow students enough time to complete 3 of the 9 activities. **Remind students to pay attention to the fact that their choices must connect three squares in a row.** The activities students complete may be made into a “Coins in My Pocket” book that can be shared with classmates.

## **FORMATIVE ASSESSMENT QUESTIONS**

- Why is it important to be able to count amounts of money?
- What are the different ways we can represent an amount of money?
- How do we know if we have enough money to buy something?

## **DIFFERENTIATION**

### **Extension**

- Students may complete more than 3 activities.
- Challenge Students to create 3 new activities for the Tic-Tac-Toe Board

### **Intervention**

- Allow students to use manipulatives (number line, 99 chart, or fake money) to solve the various activities.

## Coins in My Pocket

I pulled my raincoat out of the closet.  
It hasn't been worn since the last time it  
rained. I reached into a pocket and found 10  
coins.



Without looking at them, I tried to guess the  
value of all ten coins.

*A sample of a Tic-Tac-Toe board that could be used with this activity is shown below*

Name \_\_\_\_\_ Date \_\_\_\_\_

<b>Coins In My Pocket Tic-Tac-Toe</b>		
<p><b>List</b> two of your combinations. Write the value of each combination. List the possible things you could buy with those amounts of money.</p>	<p><b>Use coin stamps or drawings</b> to make a visual of at least three different groups of coins you could have found. Label each group with its total value.</p>	<p><b>Create</b> a pocket and coins out of construction paper to represent the combination of coins found in your pocket. Label your pocket with the amount of money.</p>
<p><b>Write a song / rap/ poem</b> about your money. It should tell the combination of coins and have the total amount of money in the song.</p>	<p><b>Make a picture graph</b> to show one combination of coins. Develop three questions that could be answered using your data. Make sure to include the answers to your questions.</p>	<p><b>Make a pattern</b> with the coins that you found in your pocket. Create another pattern if possible. Draw your patterns on a piece of paper and label them with the amount of money represented.</p>
<p><b>Create a table</b> to organize possible combinations that you discover.</p>	<p><b>Make a bar graph</b> to show one combination of coins. Develop three questions that could be answered using your data. Make sure to include the answers to your questions.</p>	<p><b>Write a story</b> about the coins you found, the amount of money, and how you spent your money.</p>