

Georgia Standards of Excellence Curriculum Map

Mathematics

Accelerated GSE 7B/8



Richard Woods, Georgia's School Superintendent "Educating Georgia's Future"

Accelerated GSE 7B/8 Curriculum Map									
1 st Semester			2 nd Semester						
Unit 1 (3-4 weeks)	Unit 2 (3-4 weeks)	Unit 3 (2-3 weeks)	Unit 4 (3-4 weeks)	Unit 5 (3-4 weeks)	Unit 6 (3-4 weeks)	Unit 7 (2-3 weeks)	Unit 8 (3-4 weeks)	Unit 9 (3-4 weeks)	Unit 10 (3-4 weeks)
Geometry	Inferences	Probability	Transformations, Congruence and Similarity	Exponents	Geometric Applications of Exponents	Functions	Linear Functions	Linear Models and Tables	Solving Systems of Equations
MGSE7.G.2 MGSE7.G.3 MGSE7.G.4 MGSE7.G.5 MGSE7.G.6	MGSE7.SP.1 MGSE7.SP.2 MGSE7.SP.3 MGSE7.SP.4	MGSE7.SP.5 MGSE7.SP.6 MGSE7.SP.7 MGSE7.SP.7a MGSE7.SP.7b MGSE7.SP.8 MGSE7.SP.8a MGSE7.SP.8b	MGSE8.G.1 MGSE8.G.2 MGSE8.G.3 MGSE8.G.4 MGSE8.G.5	MGSE8.EE1 MGSE8.EE.2 (evaluating) MGSE8.EE.3 MGSE8.EE.4 MGSE8.EE.7a MGSE8.EE.7b MGSE8.NS.1 MGSE8.NS.1	MGSE8.G.6 MGSE8.G.7 MGSE8.G.8 MGSE8.G.9 MGSE8.EE.2 (equations)	MGSE8.F.1 MGSE8.F.2	MGSE8.EE.5 MGSE8.EE.6 MGSE8.F.3	MGSE8.F.4 MGSE8.F.5 MGSE8.SP.1 MGSE8.SP.2 MGSE8.SP.3 MGSE8.SP.4	MGSE8.EE.8 MGSE8.EE.8a MGSE8.EE.8b MGSE8.EE.8c

These units were written to build upon concepts from prior units, so later units contain tasks that depend upon the concepts addressed in earlier units.

All units will include the Mathematical Practices and indicate skills to maintain..

NOTE: Mathematical standards are interwoven and should be addressed throughout the year in as many different units and tasks as possible in order to stress the natural connections that exist among mathematical topics.

Grades 6-8 Key:

NS = The Number System

F = Functions

EE = Expressions and Equations

G = Geometry

SP = Statistics and Probability

Accelerated GSE 7B/8 – Expanded Curriculum Map – 1st Semester Standards for Mathematical Practice 1 Make sense of problems and persevere in solving them. **5** Use appropriate tools strategically. 2 Reason abstractly and quantitatively. **6** Attend to precision. 3 Construct viable arguments and critique the reasoning of others. 7 Look for and make use of structure. **4** Model with mathematics. **8** Look for and express regularity in repeated reasoning. 1st Semester Unit 1 Unit 2 Unit 3 Unit 4 Unit 5 Geometry **Probability** Inferences Transformations, **Exponents** Congruence and Similarity Use random sampling to draw **Investigate chance processes** Understand congruence and Work with radicals and integer Draw, construct, and describe similarity using physical geometrical figures and describe inferences about a population. and develop, use, and evaluate exponents. models, transparencies, or MGSE7.SP.1 Understand that probability models. MGSE8.EE.1 Know and apply the relationships between them. MGSE7.SP.5 Understand that the geometry software. the properties of integer MGSE7.G.2 Explore various statistics can be used to gain geometric shapes with given information about a population by probability of a chance event is a MGSE8.G.1 Verify exponents to generate equivalent numerical expressions. examining a sample of the number between 0 and 1 that experimentally the congruence conditions. Focus on creating population; generalizations about a MGSE8.EE.2 Use square root triangles from three measures of expresses the likelihood of the properties of rotations. angles and/or sides, noticing population from a sample are valid event occurring. Larger numbers reflections, and translations: and cube root symbols to only if the sample is representative represent solutions to equations. when the conditions determine a indicate greater likelihood. A lines are taken to lines and line of that population. Understand that probability near 0 indicates an Recognize that $x^2 = p$ (where p is unique triangle, more than one segments to line segments of the random sampling tends to produce triangle, or no triangle. unlikely event, a probability a positive rational number and lxl same length; angles are taken to representative samples and support MGSE7.G.3 Describe the twoaround 1/2 indicates an event that < 25) has 2 solutions and x3 = pangles of the same measure; valid inferences. (where p is a negative or positive dimensional figures (cross is neither unlikely nor likely, and parallel lines are taken to MGSE7.SP.2 Use data from a rational number and lxl < 10) sections) that result from slicing a probability near 1 indicates a parallel lines. random sample to draw inferences has one solution. Evaluate three-dimensional figures, as in likely event. MGSE8.G.2 Understand that a about a population with an MGSE7.SP.6 Approximate the square roots of perfect squares < plane sections of right two-dimensional figure is unknown characteristic of interest. 625 and cube roots of perfect rectangular prisms, right probability of a chance event by congruent to another if the Generate multiple samples (or cubes > -1000 and < 1000. rectangular pyramids, cones, collecting data on the chance second can be obtained from the simulated samples) of the same MGSE8.EE.3 Use numbers cylinders, and spheres. process that produces it and first by a sequence of rotations, size to gauge the variation in expressed in scientific notation Solve real-life and mathematical observing its long-run relative reflections, and translations: estimates or predictions to estimate very large or very frequency. Predict the problems involving angle given two congruent figures, Draw informal comparative small quantities, and to express approximate relative frequency describe a sequence that exhibits measure, area, surface area, and inferences about two populations. how many times as much one is given the probability. For the congruence between them. volume. MGSE7.SP.3 Informally assess the than the other. For example, MGSE7.G.4 Given the formulas example, when rolling a number MGSE8.G.3 Describe the effect degree of visual overlap of two estimate the population of the cube 600 times, predict that a 3 for the area and circumference of of dilations, translations, rotations numerical data distributions with United States as 3×108 and the a circle, use them to solve or 6 would be rolled roughly and reflections on twosimilar variabilities, measuring the population of the world as $7 \times$ problems; give an informal 200 times, but probably not dimensional figures using difference between the medians by 109, and determine that the world derivation of the relationship exactly 200 times. coordinates. expressing it as a multiple of the population is more than 20 times between the circumference and MGSE8.G.4 Understand that a MGSE7.SP.7 Develop a interquartile range. larger. area of a circle. probability model and use it to two-dimensional figure is similar MGSE8.EE.4 Add, subtract, MGSE7.SP.4 Use measures of MGSE7.G.5 Use facts about find probabilities of events. to another if the second can be center and measures of variability multiply and divide numbers supplementary, complementary, Compare experimental and obtained from the first by a for numerical data from random expressed in scientific notation, vertical, and adjacent angles in a sequence of rotations, reflections, theoretical probabilities of samples to draw informal including problems where both

events. If the probabilities are

not close, explain possible

comparative inferences about two

translations, and dilations; given

two similar two-dimensional

decimal and scientific notation

multi-step problem to write and

solve simple equations for an

unknown angle in a figure.
MGSE7.G.6 Solve real-world
and mathematical problems
involving area, volume and
surface area of two- and three
dimensional objects composed of
triangles, quadrilaterals, polygons
cubes, and right prisms

populations.

sources of the discrepancy. MGSE7.SP.7a Develop a uniform probability model by assigning equal probability to all outcomes, and use the model to determine probabilities of events MGSE7.SP.7b Develop a probability model (which may not be uniform) by observing frequencies in data generated from a chance process. For example, find the approximate probability that a spinning penny will land heads up or that a tossed paper cup will land open-end down. Do the outcomes for the spinning penny appear to be equally likely based on the observed

MGSE7.SP.8 Find probabilities of compound events using organized lists, tables, tree diagrams, and simulation.

frequencies?

MGSE7.SP.8a Understand that, just as with simple events, the probability of a compound event is the fraction of outcomes in the sample space for which the compound event occurs.

MGSE7.SP.8b Represent sample spaces for compound events using methods such as organized lists, tables and tree diagrams. For an event described in everyday language (e.g., "rolling double sixes"), identify the outcomes in the sample space which compose the event.

MGSE7.SP.8c Explain ways to set up a simulation and use the simulation to generate frequencies for compound events. For example, if 40% of donors have type A blood, create a simulation to predict the probability that it will take at least 4 donors to find one with type A blood?

figures, describe a sequence that exhibits the similarity between them.

MGSE8.G.5 Use informal arguments to establish facts about the angle sum and exterior angle of triangles, about the angles created when parallel lines are cut by a transversal, and the angle-angle criterion for similarity of triangles.

are used. Understand scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g. use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology (e.g. calculators). Analyze and solve linear equations and pairs of simultaneous linear equations. MGSE8.EE.7 Solve linear equations in one variable.

MGSE8.EE.7a Give examples of linear equations in one variable with one solution, infinitely many solutions, or no solutions. Show which of these possibilities is the case by successively transforming the given equation into simpler forms, until an equivalent equation of the form x = a, a = a, or a = b results (where a and b are different numbers).

MGSE8.EE.7b Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like terms.

Know that there are numbers that are not rational, and approximate them by rational numbers.

MGSE8.NS.1 Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats eventually, and convert a decimal expansion which repeats eventually into a rational number. MGSE8.NS.2 Use rational approximation of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line.

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	and estimate the value of			
	expressions (e.g., estimate π 2to			
	the nearest tenth). For example,			
	by truncating the decimal			
	expansion of √2 (square root			
	of 2), show that $\sqrt{2}$ is between			
	1 and 2, then between			
	1.4 and 1.5, and explain how			
	to continue on to get better			
	approximations.			

Accelerated GSE 7B/8 – Expanded Curriculum Map – 2 nd Semester					
Standards for Mathematical Practice					
1 Make sense of problems and persev			e tools strategically.		
2 Reason abstractly and quantitativel		6 Attend to precis			
3 Construct viable arguments and cri	tique the reasoning of others.		ake use of structure.		
4 Model with mathematics.			spress regularity in repeated reasoning.		
		2 nd Semester			
Unit 6	Unit 7	Unit 8	Unit 9	Unit 10	
Geometric Applications of Exponents	Functions	Linear Functions	Linear Models and Tables	Solving Systems of Equations	
Understand and Apply the	Define, evaluate, and compare	Understand the connections	Use functions to model	Analyze and solve linear	
Pythagorean Theorem	functions.	between proportional	relationships between quantities.	equations and pairs of	
MGSE8.G.6 Explain a proof of the	MGSE8.F.1 Understand that a	relationships, lines, and linear	MGSE8.F.4 Construct a function	simultaneous linear equations.	
Pythagorean Theorem and its	function is a rule that assigns to	equations.	to model a linear relationship	MGSE8.EE.8 Analyze and	
converse.	each input exactly one output.	MGSE8.EE.5 Graph proportional	between two quantities.	solve pairs of simultaneous	
MGSE8.G.7 Apply the	The graph of a function is the set	relationships, interpreting the unit	Determine the rate of change and	linear equations (systems of	
Pythagorean Theorem to determine	of ordered pairs consisting of an	rate as the slope of the graph.	initial value of the function from a	linear equations).	
unknown side lengths in right	input and the corresponding	Compare two different proportional	description of a relationship or	MGSE8.EE.8a Understand that	
triangles in real-world and	output.	relationships represented in	from two (x,y) values, including	solutions to a system of two linear	
mathematical problems in two and	MGSE8.F.2 Compare properties	different ways.	reading these from a table or	equations in two variables	
three dimensions.	of two functions each represented	MGSE8.EE.6 Use similar	from a graph. Interpret the rate of	correspond to points of	
MGSE8.G.8 Apply the	in a different way (algebraically,	triangles to explain why the slope	change and initial value of a	intersection of their graphs,	
Pythagorean Theorem to find the	graphically, numerically in tables,	m is the same between any two	linear function in terms of the	because points of intersection	
distance between two points in a	or by verbal descriptions).	distinct points on a non-vertical	situation it models, and in terms of	satisfy both equations	
coordinate system.		line in the coordinate plane;	its graph or a table of values.	simultaneously.	
Solve real-world and		derive the equation $y = mx$ for a	MGSE8.F.5 Describe qualitatively	MGSE8.EE.8b Solve systems of	
mathematical problems involving		line through the origin and the	the functional relationship between	two linear equations in two variables algebraically, and	
volume of cylinders, cones, and		equation $y = mx + b$ for a line	two quantities by analyzing a graph	estimate solutions by graphing the	
spheres.		intercepting the vertical axis at b.	(e.g., where the function is	equations. Solve simple cases by	
MGSE8.G.9 Apply the formulas		Define, evaluate, and compare	increasing or decreasing, linear or	inspection.	
for the volume of cones, cylinders,		functions.	nonlinear). Sketch a graph that exhibits the qualitative features of a	MGSE8.EE.8c Solve real-world	
and spheres and use them to solve real-world and mathematical		MGSE8.F.3 Interpret the	function that has been described	and mathematical problems	
problems.		equation $y = mx + b$ as defining	verbally.	leading to two linear equations in	
Work with radicals and integer		a linear function, whose graph is a straight line; give examples of	Investigate patterns of	two variables.	
exponents.		functions that are not linear. For	association in bivariate data.	two variables.	
MGSE8.EE.2 Use square root and		example, the function $A = s2$	MGSE8.SP.1 Construct and		
cube root symbols to represent		giving the area of a square as	interpret scatter plots for bivariate		
solutions to equations. Recognize		a function of its side length	measurement data to investigate		
that $x^2 = p$ (where p is a positive		is not linear because its graph	patterns of association between two		
rational number and $lx1 < 25$) has		contains the points (1,1), (2,4)	quantities. Describe patterns such		
2 solutions and $x3 = p$ (where p is		and (3,9), which are not on a	as clustering, outliers, positive or		
a negative or positive rational		straight line.	negative association, linear		
number and lxl < 10) has one		S	association, and nonlinear		
solution. Evaluate square roots of			association.		
perfect squares < 625 and cube			MGSE8.SP.2 Know that straight		

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roots of perfect cubes > -1000	lines are widely used to model
and < 1000.	relationships between two
	quantitative variables. For scatter
	plots that suggest a linear
	association, informally fit a
	straight line, and informally
	assess the model fit by judging the
	closeness of the data points to the
	line.
	MGSE8.SP.3 Use the equation
	of a linear model to solve
	problems in the context of bivariate
	measurement data, interpreting the
	slope and intercept.
	MGSE8.SP.4 Understand that
	patterns of association can also be
	seen in bivariate categorical data
	by displaying frequencies and
	relative frequencies in a two-way
	table.
	a. Construct and interpret a
	two-way table summarizing
	data on two categorical
	variables collected from the
	same subjects.
	b. Use relative frequencies
	calculated for rows or
	columns to describe possible
	association between the two
	variables. For example,
	collect data from students in
	your class on whether or not
	they have a curfew on school
	nights and whether or not
	they have assigned chores
	at home. Is there evidence
	that those who have a
	curfew also tend to have
	chores?
	chores: